

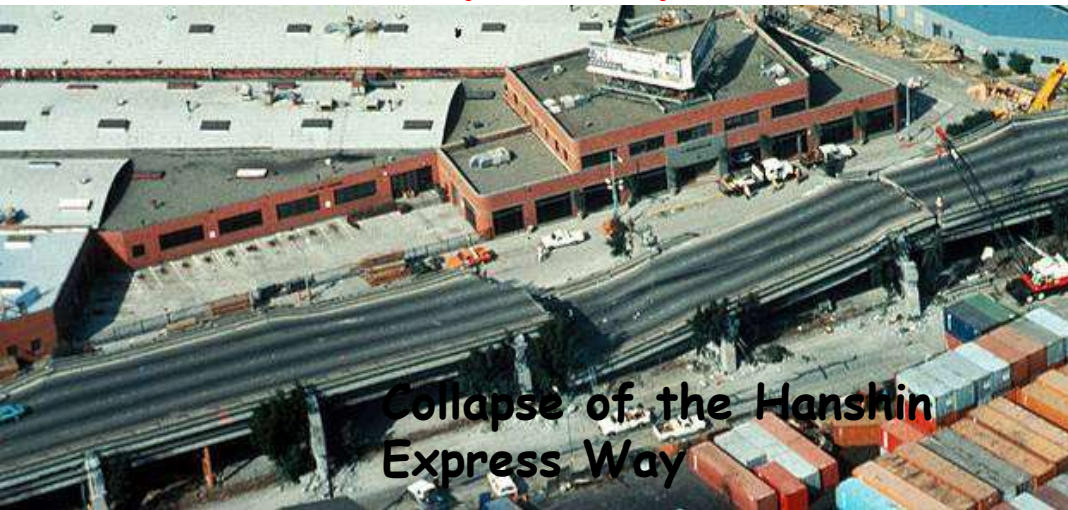
Re-visiting Earthquake Resistant Design of Bridges

G. Michele Calvi

IUSS Pavia and Eucentre Foundation

In a few cases only road networks in general and bridges in particular have been severely and extensively damaged.

- San Fernando (1971)
- Loma Prieta (1989)
- Kobe (1995)



Collapse of the Hanshin Express Way



L'Aquila 2009
Mw 6.3
300 deaths



What is the explanation of this apparent logical inconsistency?

- Is the nature of earthquake ground motion more selective for bridges than for buildings?
- Or does the reason lie in a less uniform distribution of bridge structures over the territory?
- Or rather bridge structures tend to be associated to very steep fragility functions, such that the correlation between demand and damage is far from being proportional?

Whatever the answer is, it bears relevant consequences in terms of earthquake resistant design and assessment of bridges.

Roadway and bridge construction in the last century

A brief critical historical note
on our heritage

First half
of the XX century

Ordinary bridge
construction
dominated by
concrete arch

Ponte dell'Impero
(today della Libertà)
Pavia
Spans of 45 m
Completed 1936



Di Salento81 - Opera propria, CC BY-SA 3.0,
<https://commons.wikimedia.org/w/index.php?curid=6923155>

... but,

arch bridge
construction
continued into the
XXI century

Galena Creek Bridge
Main span 212 m
Completed 2012



By T71024 - Own work, CC BY-SA 3.0,
<https://commons.wikimedia.org/w/index.php?curid=19951406>

Second half of the XX century

Ordinary bridge
construction
dominated by
prestressed
concrete

Bridge over
the Po River
Pieve P. Morone
Spans ~ 80 m
60'



Second half of the XX century

Ordinary bridge
construction
dominated by
prestressed
concrete

Bridge over
the Po River
Pieve P. Morone
Spans ~ 80 m
60'



Second half of the XX century

Ordinary bridge
construction
dominated by
prestressed
concrete

Bridge over
the Po River
Casalmaggiore
Spans of 65 m
1955 - 1958



Second half of
the XX century

Ordinary bridge
construction
dominated by
prestressed
concrete

Bridge over
the Po River
Casalmaggiore
Spans of 65 m
1955 - 1958



Construction of road infrastructure in the 1960s

US

- 1956 President Eisenhower signs the Federal-Aid Highway Act the "*Greatest Decade*": 60,000 km, 5,000 km/y until 1960
- 1961 President Kennedy maintains the project and \$ 0.01 gas tax per gallon
- 1966 29,000 km completed;
\$ 25 billion spent

Complete project:

- 12,957 interchanges requiring 22,252 individual structures
- 20,748 other highway grade-separation structures
- 4,361 railroad grade separations
- 14,806 other bridges and tunnels



Construction of road infrastructure in the 1960s

Europe	1920s	First freeways in Italy
	1930s	4,000 km in Germany Eisenhower: <i>"Germany had made me see the wisdom of broader ribbons across the land"</i>
	1960s	Most European countries construct the backbone of the modern freeway system
	1956-1964	"Autostrada del Sole": 853 bridges, 572 overpasses

2018 *The New York Times*:

- In France, the highway system comprising 12,000 bridges is in a state of chronic underinvestment, with 7% having damage that could eventually result in collapse if not addressed
- In Germany, of the 39,621 bridges monitored by the Federal Government, 10.6% are in a condition that is not satisfactory and 1.8 % are in "inadequate" condition
- Similar examples reported for other European countries



The Kobe Earthquake 1995 (Hyogoken Nambu, Great Hanshin)

Lessons on bridges

Collapsed bridges in Japan before Kobe

- | | |
|---------------------------|---|
| • 1923 Kanto M7.9 | 6 |
| • 1946 Nankai M8.1 | 1 |
| • 1948 Fukui M7.3 | 4 |
| • 1964 Niigata M7.5 | 3 |
| • 1978 Miyagi-ken-oki 7.4 | 1 |

Typical problems:

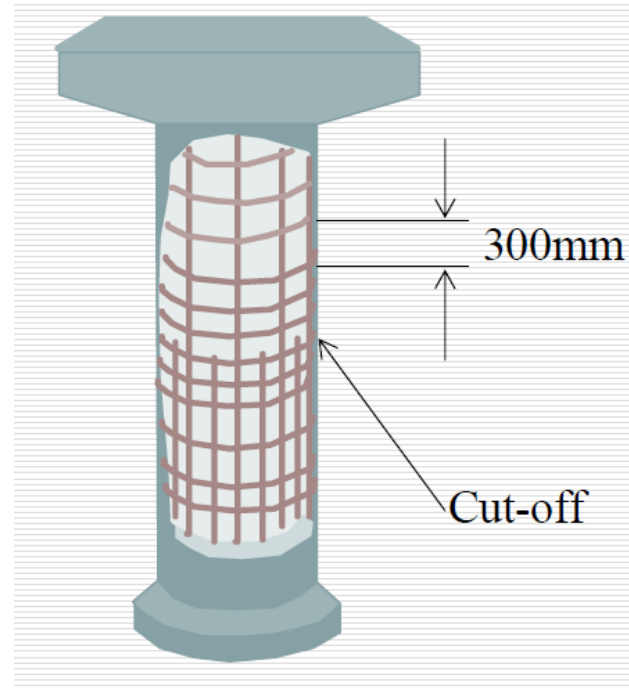
- Foundation
- Liquefaction
- Unseating
- Columns strength

(K. Kawashima)

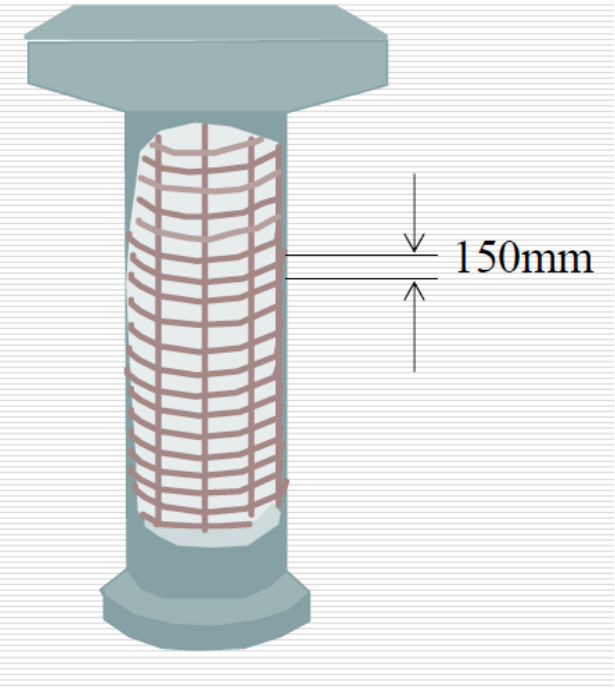
Following Kobe: Shear and lap splices



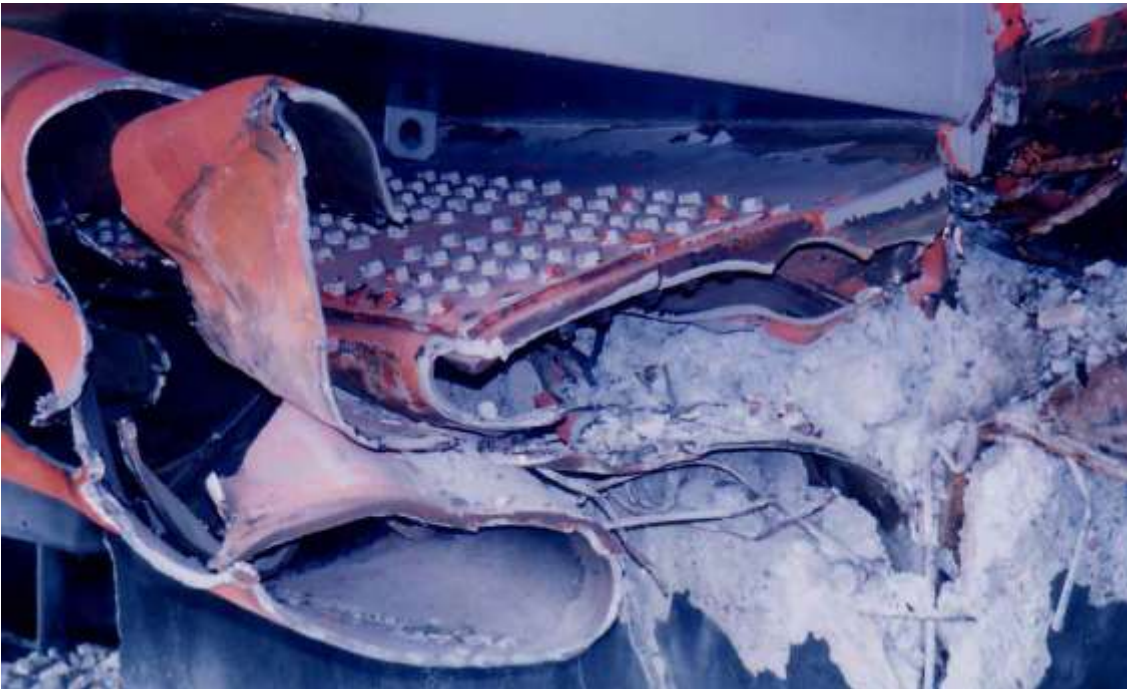
Before Kobe



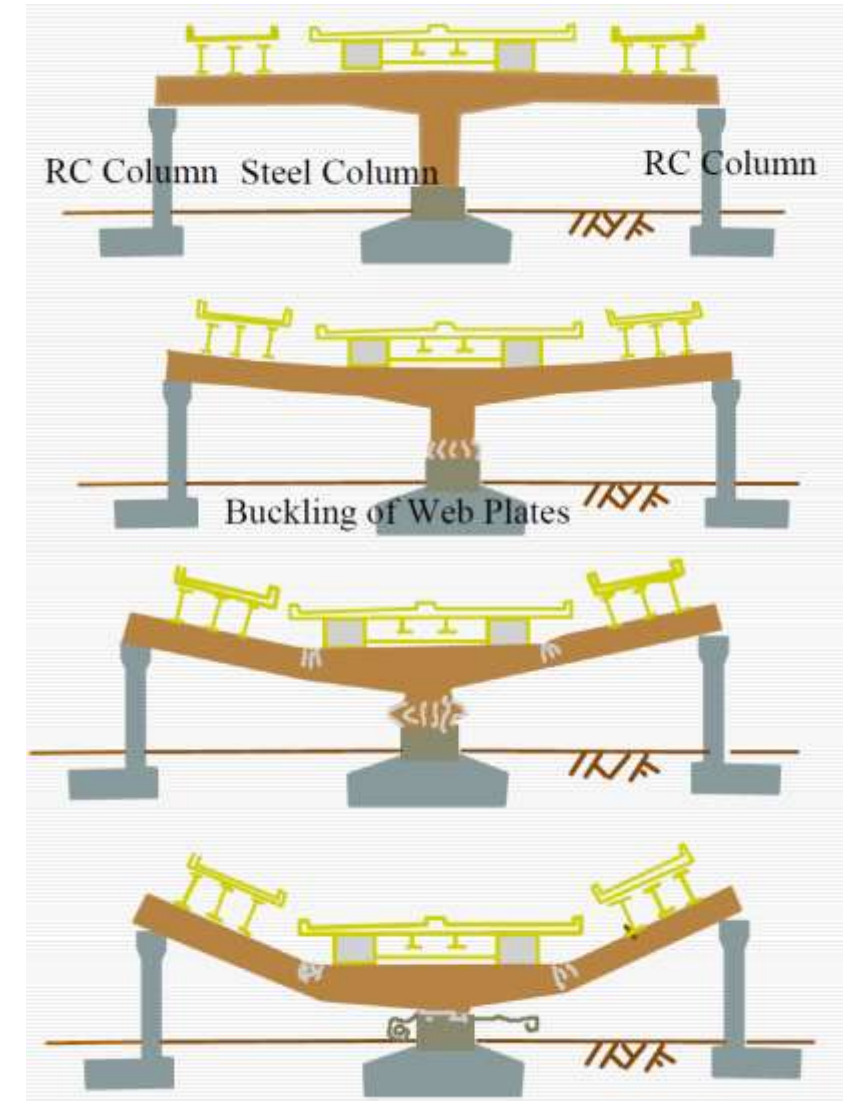
After Kobe



(K. Kawashima)



Following Kobe: Steel columns



(K. Kawashima)

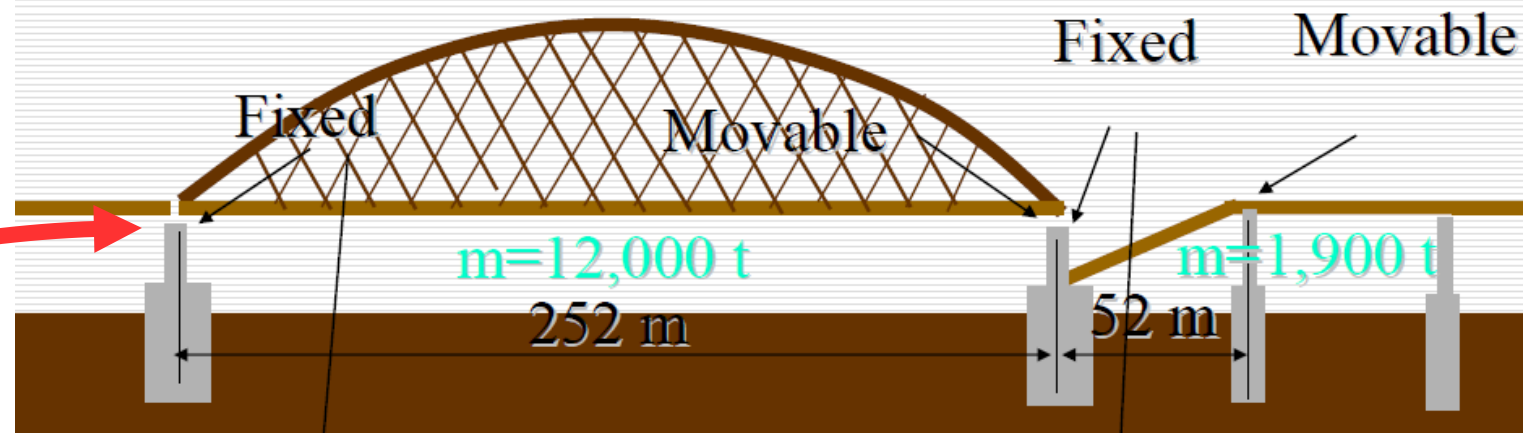
Following Kobe: bearings



(K. Kawashima)



Collapse of an Approaching Span



Following Kobe: residual drift



(K. Kawashima)

New experience on the column ductility

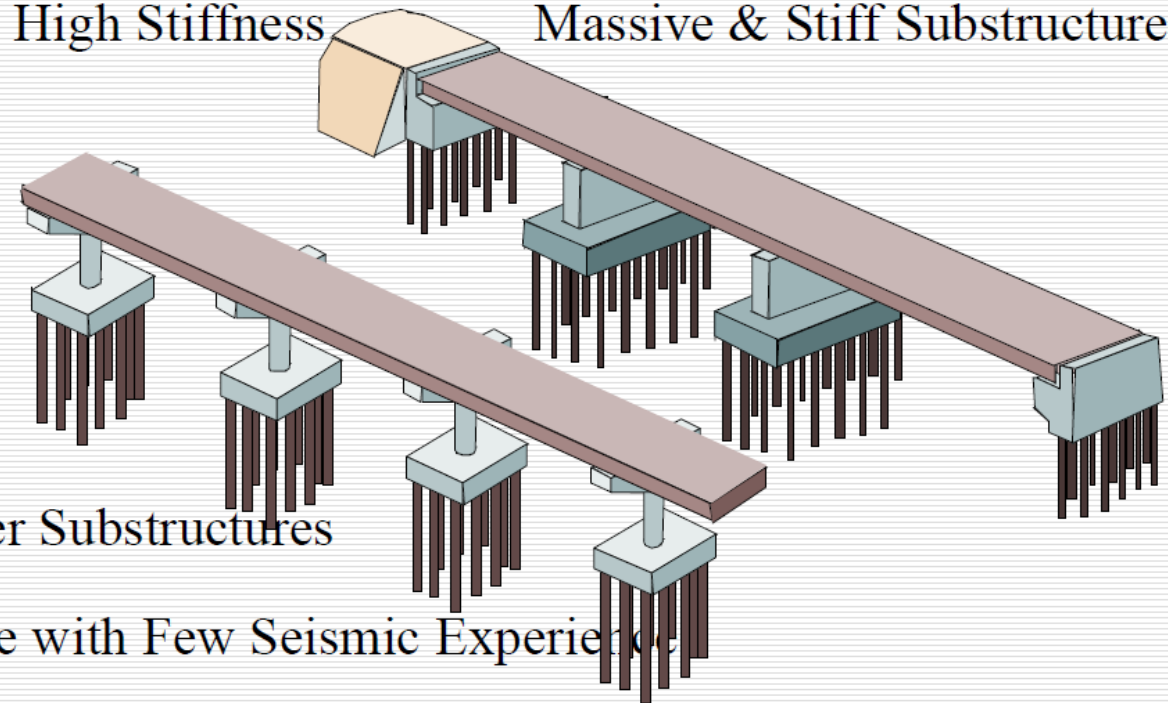
Bridges with Sufficient Past
Seismic Experience

Abutment with
High Stiffness

Massive & Stiff Substructures

Slender Substructures

Bridge with Few Seismic Experience



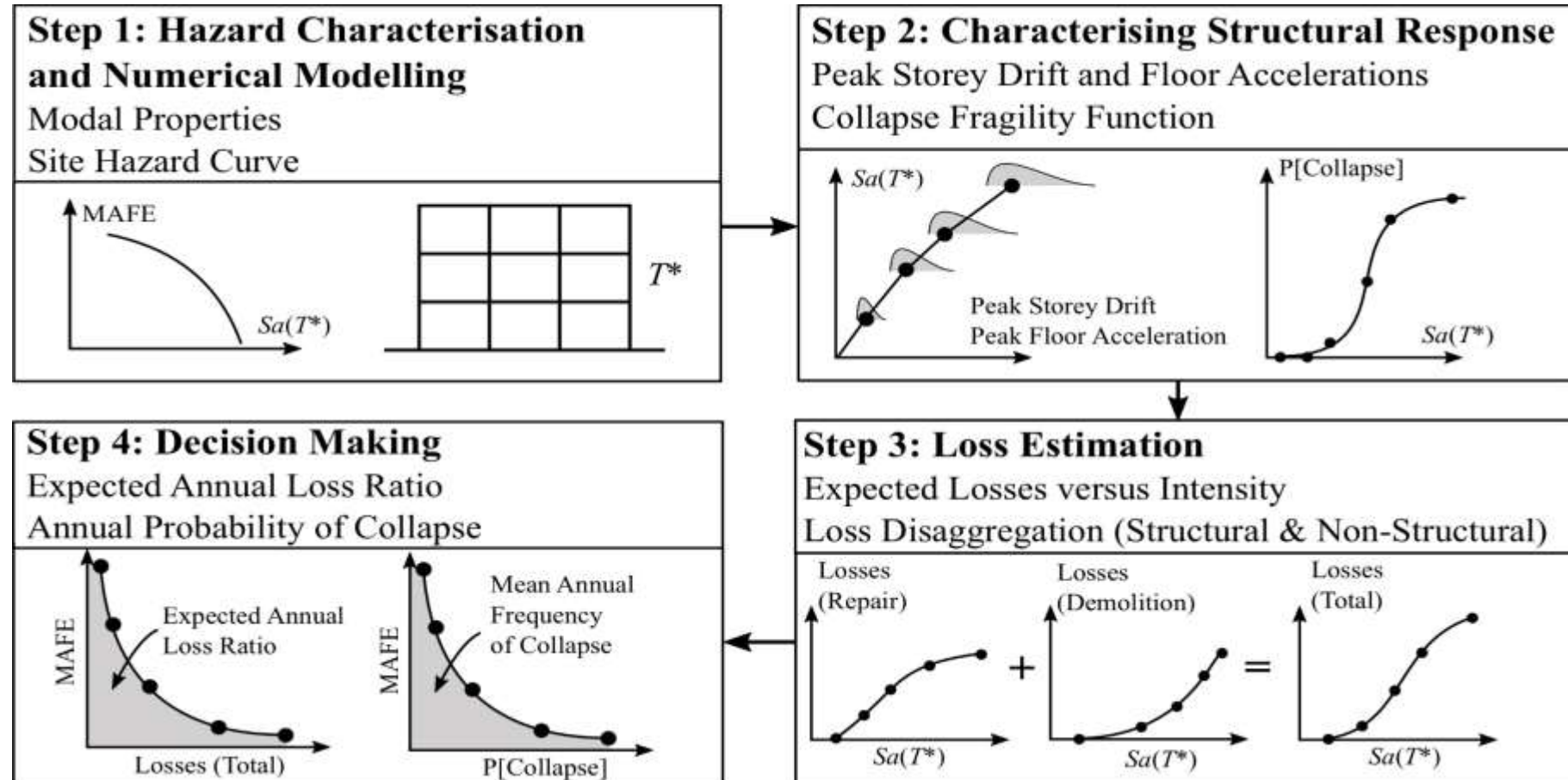
The real lessons from Kobe

Losses induced by bridge damage
are disproportionate
to the number of collapses

How can we use this in practice for
design, assessment and strengthening?

A possible reference framework: FEMA P58 (PEER PBEE methodology)

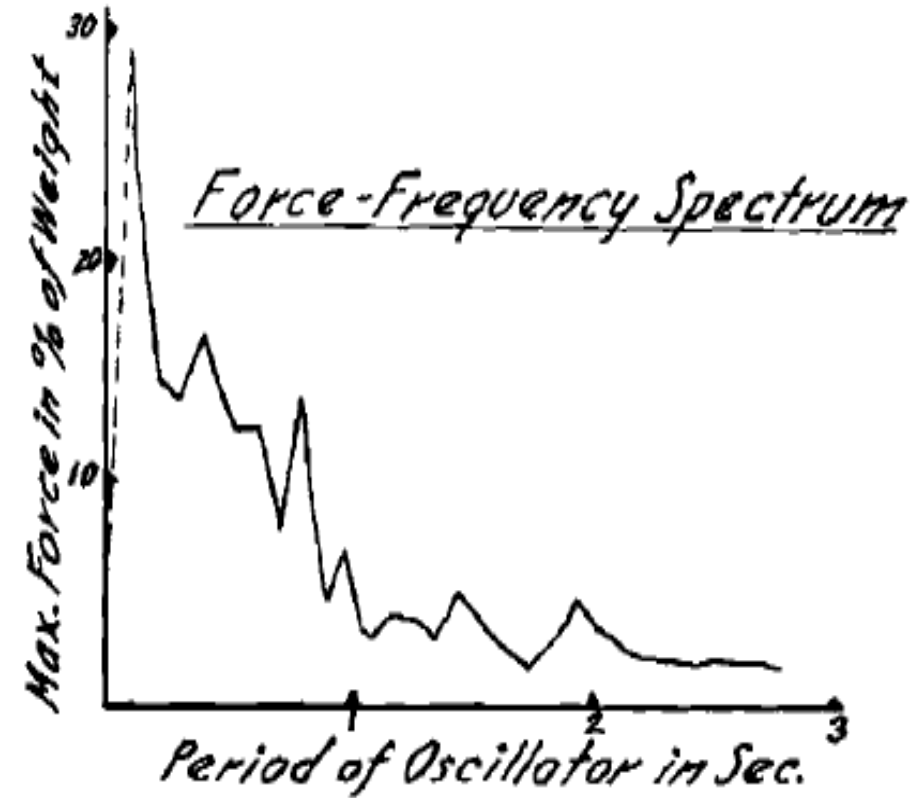
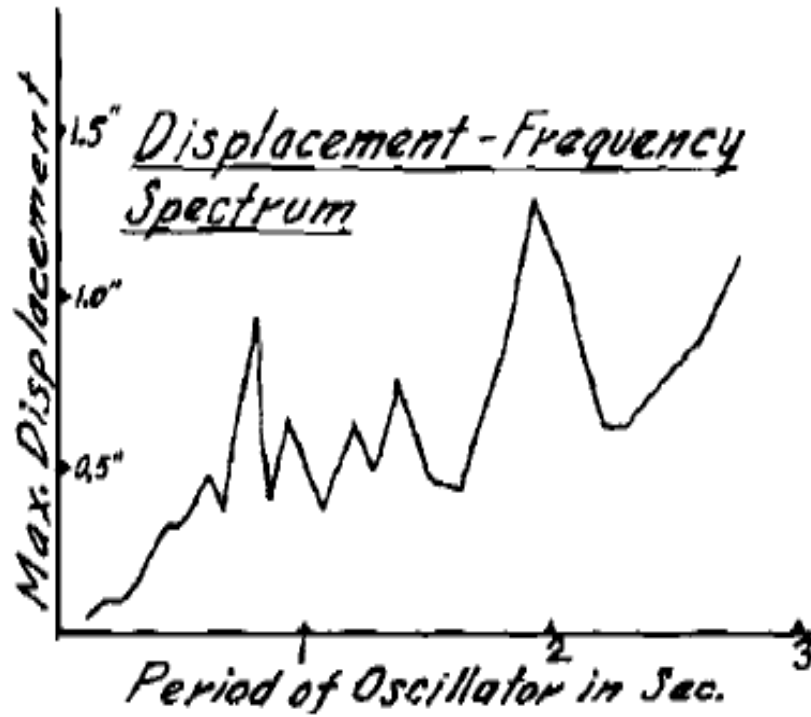
Focus on
assessment
of existing
buildings



1. Proper definition of input
2. Selection of structural system
3. Consistent design of structural and non-structural elements (bearings, joints, barriers, ...)

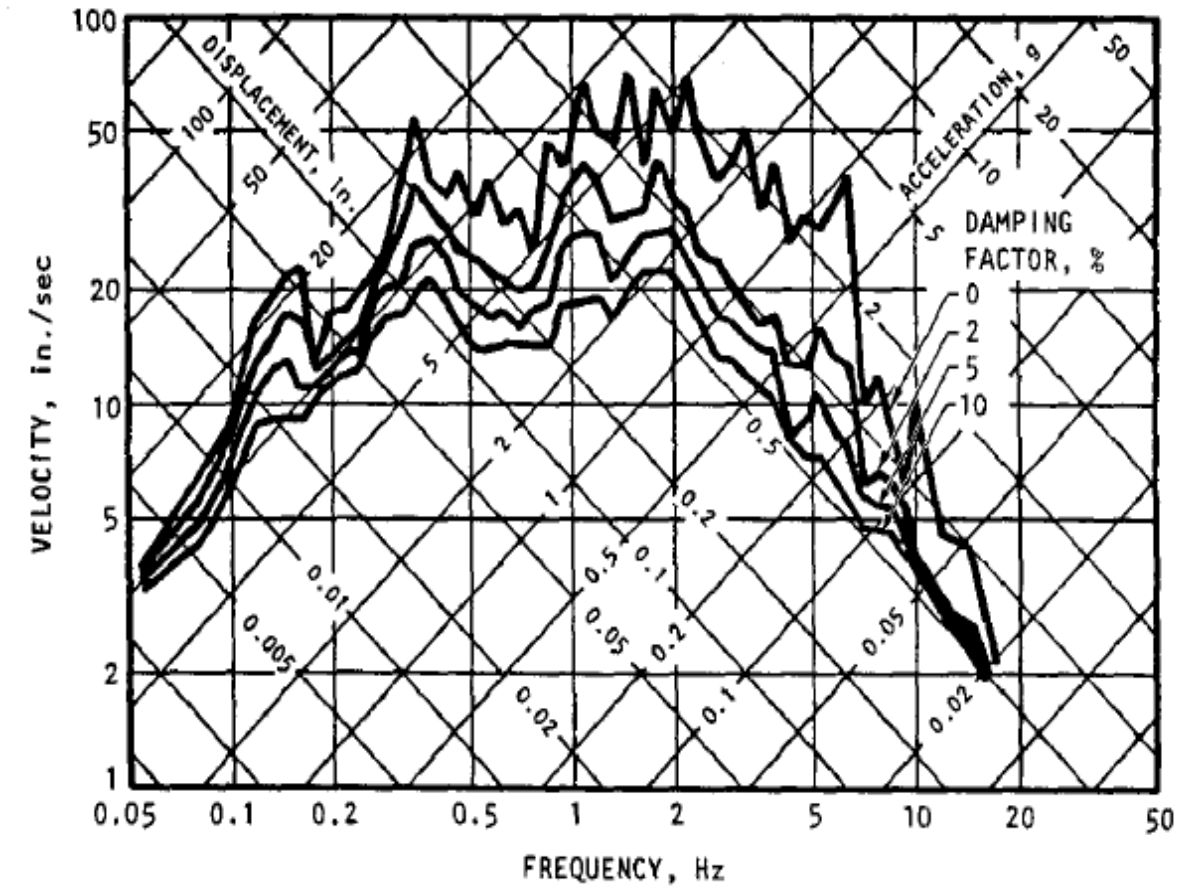
Definition of seismic input

in the form of
appropriate design spectra

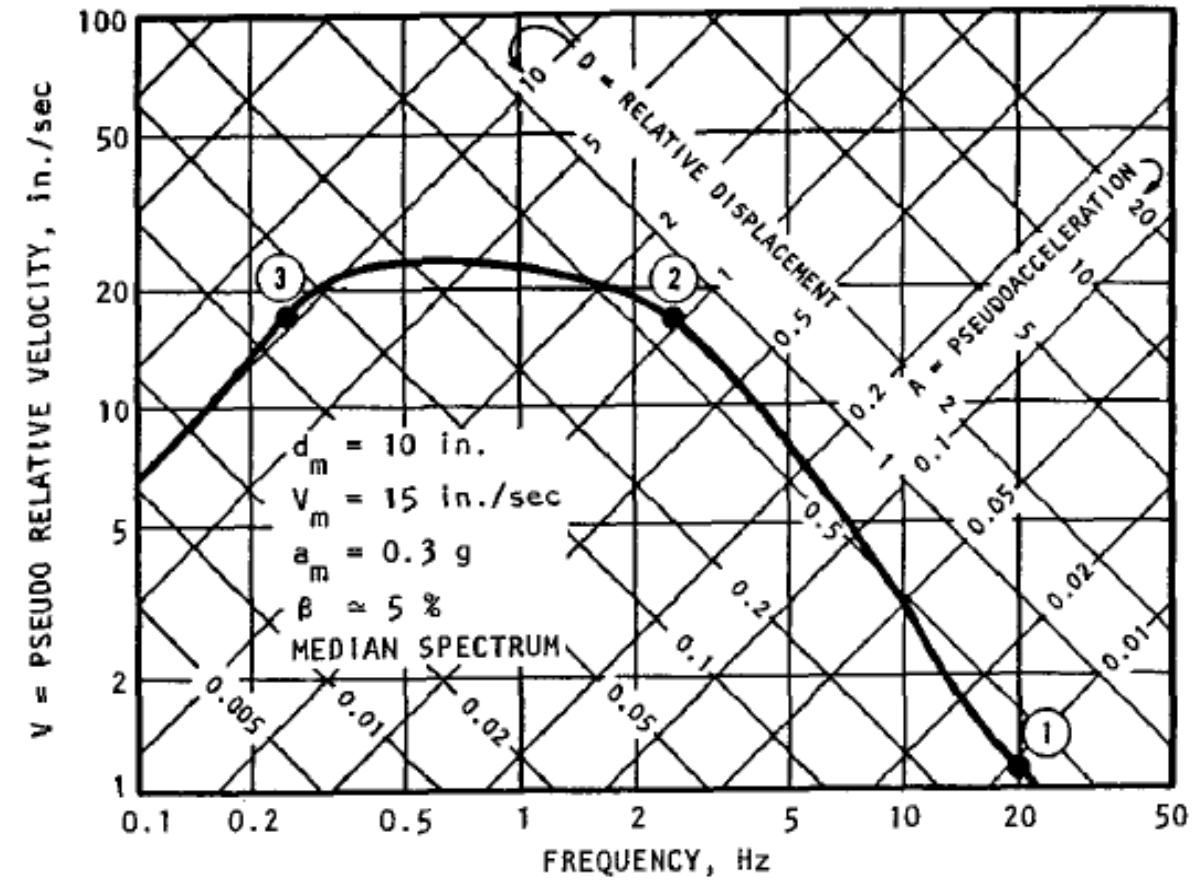


Displacement and acceleration response spectra for a component of the Los Angeles earthquake of 2 October 1933

Housner (1941)

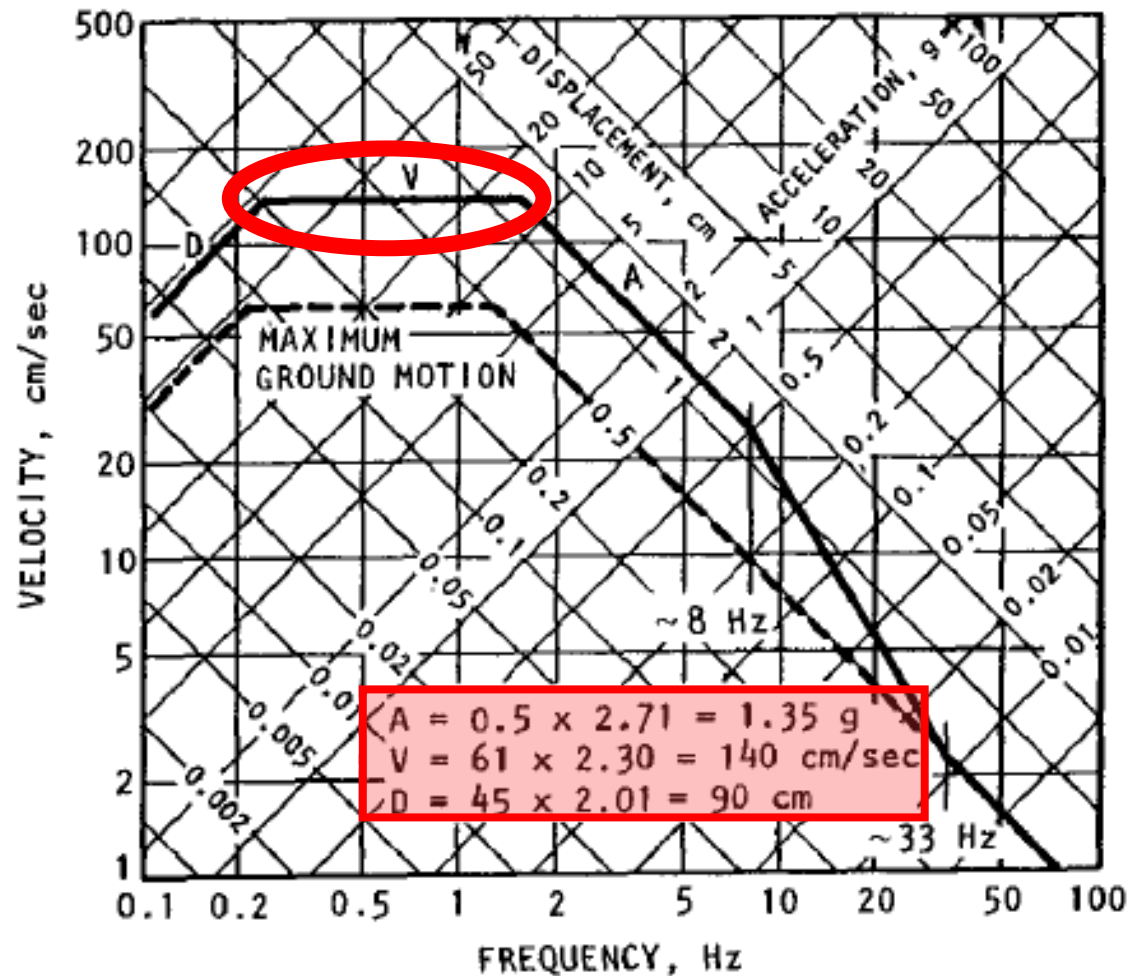


Response spectra from the NS El Centro record



"Typical response spectrum"

Newmark and Hall, 1982



Why constant velocity?

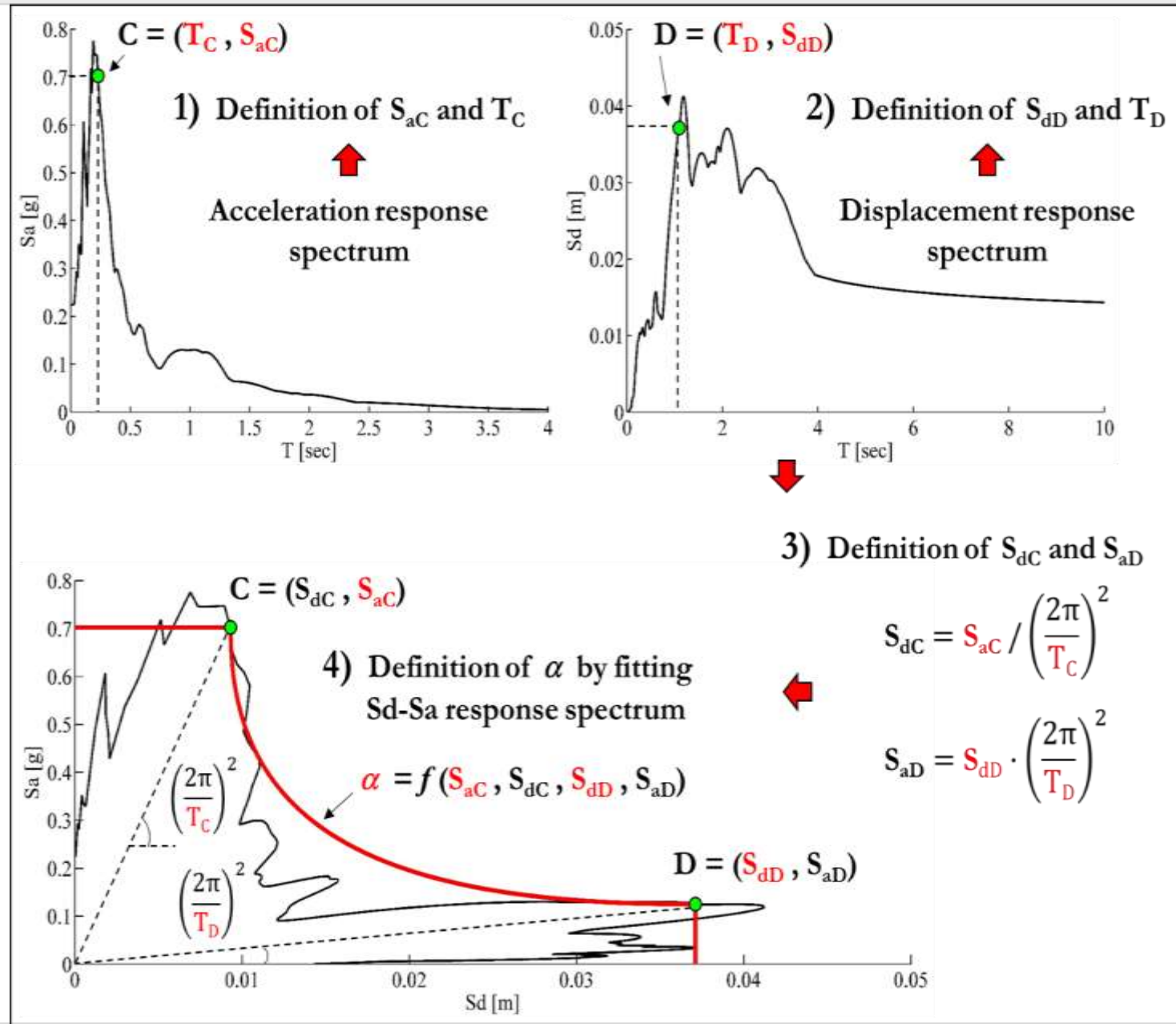
Elastic design spectrum for 0.5 g PGA, 5% damping and one sigma cumulative probability
Newmark and Hall (1982)

Definition of design and assessment spectra

Point C (T_C , S_{aC})

Point D (T_D , S_{dD})

α : shape of curve between C and D



The assumption of constant velocity force the position of points C and D

Formulation of the parameter α

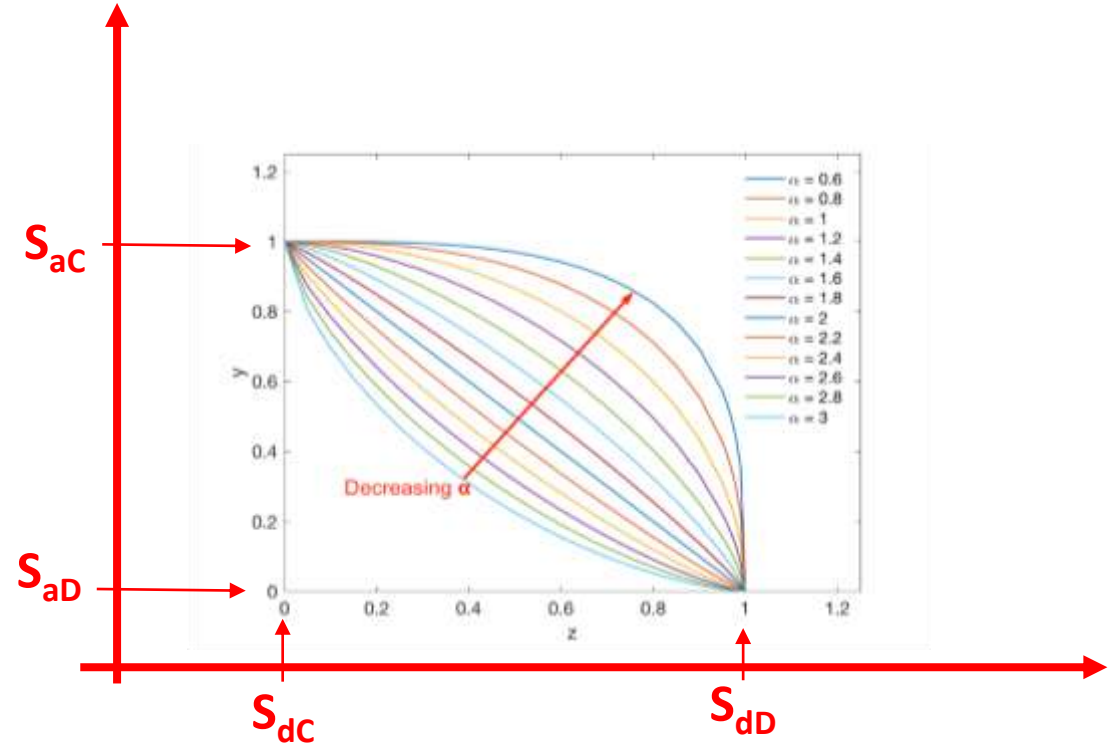
$$y = \sin^\alpha t$$

$$z = \cos^\alpha t$$

$$y = \sin^\alpha \left(\cos^{-1} \left(z^{1/\alpha} \right) \right)$$

analogy with the function that modifies the shape of a force - displacement curve of a viscous damper

$$S_{aD} = S_{dD} \frac{4\pi^2}{T_D^2}$$



A simple transformation of coordinates:

$$S_{dC} = S_{aC} \frac{T_C^2}{4\pi^2}$$

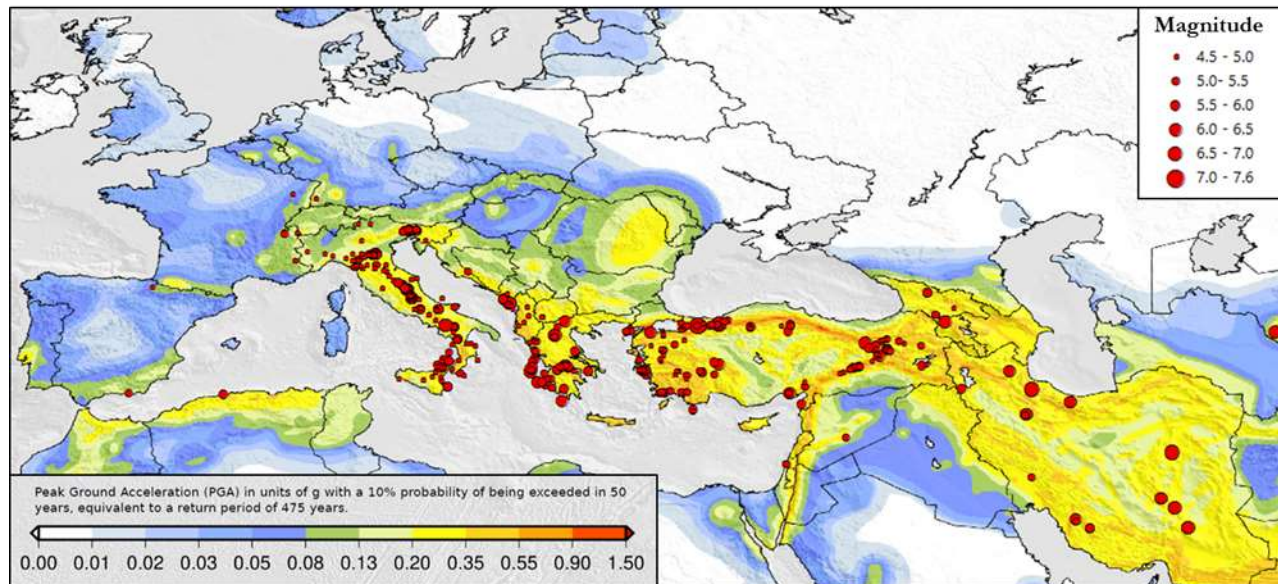
$$S_a = S_{aD} + (S_{aC} - S_{aD}) \cdot \sin^\alpha \left(\cos^{-1} \left(\frac{S_d - S_{dC}}{S_{dD} - S_{dC}} \right)^{\frac{1}{\alpha}} \right)$$

Assumed key
parameters:

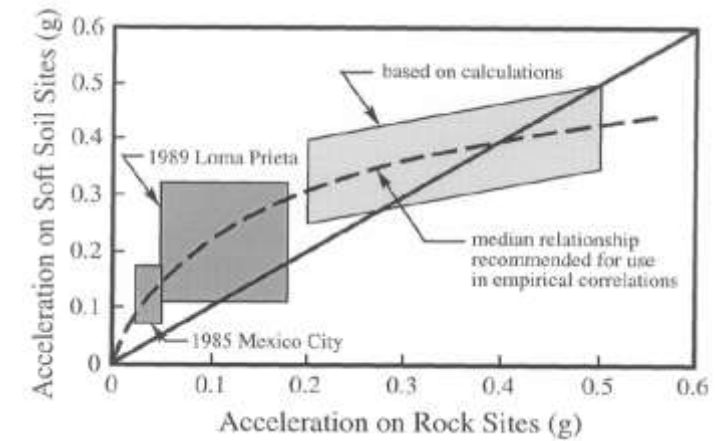
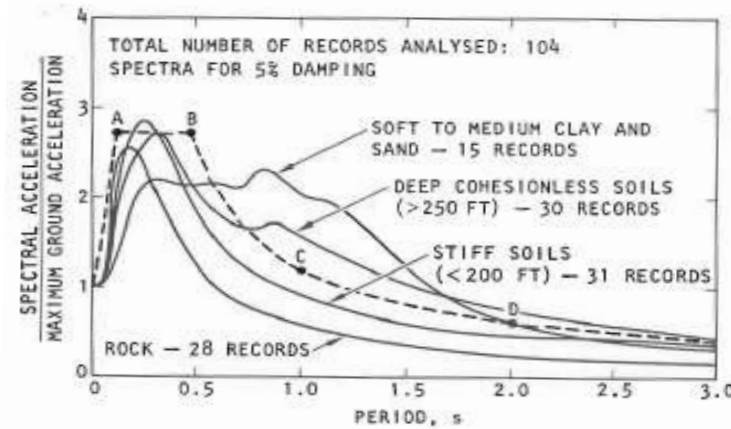
Magnitude
Distance
Soil type

**3433 couples of records
from 387 events**

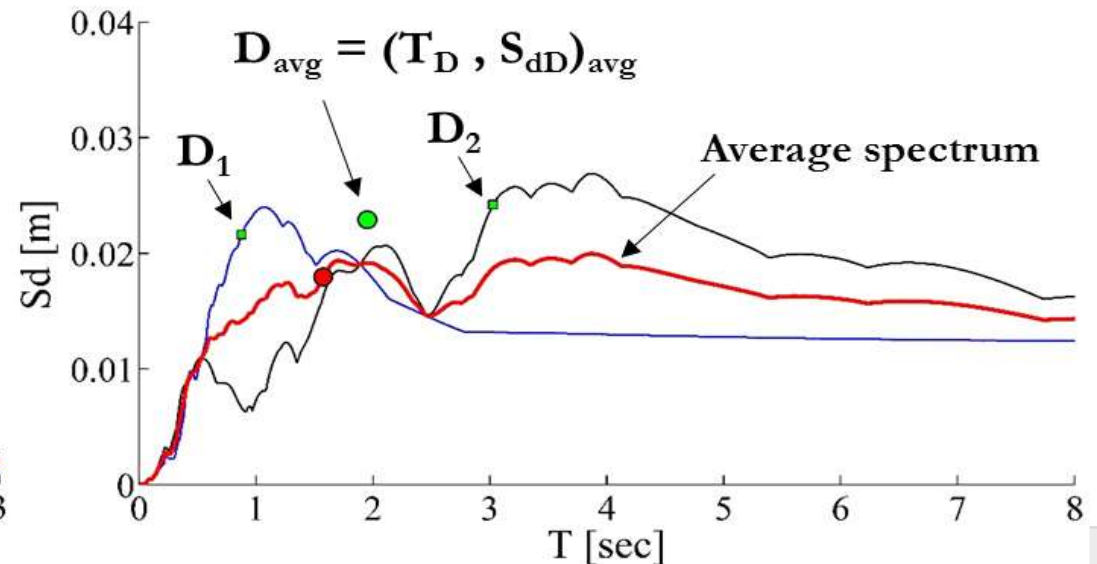
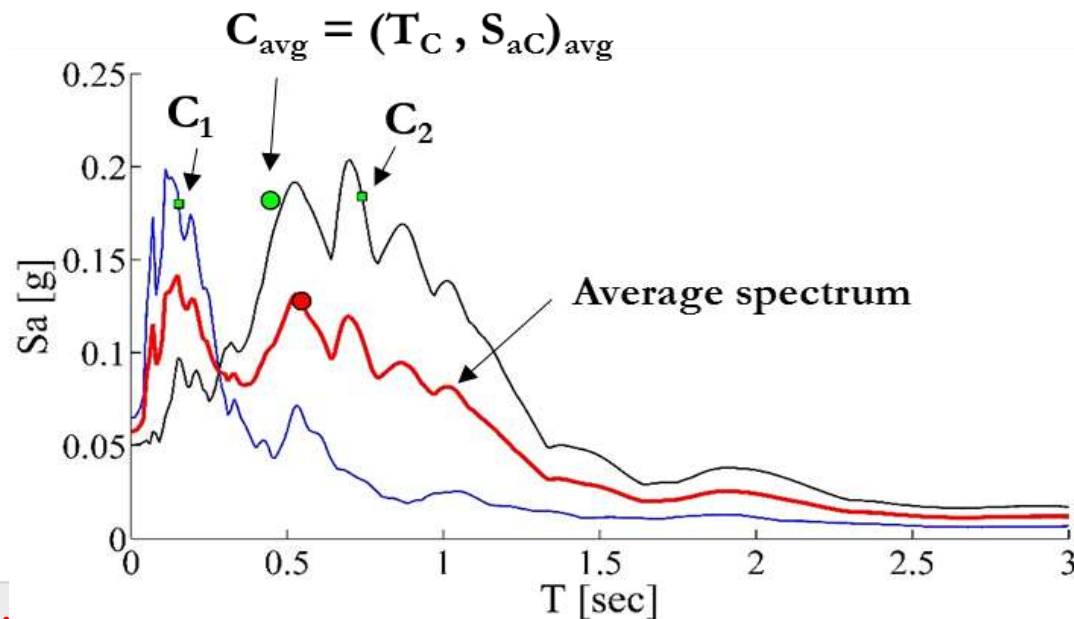
Soil class	M_w	r (km)						
		<10	10-20	20-30	30-40	40-50	50-60	>60
A	7.0-7.6	1	-	-	-	-	-	-
	6.5-7.0	1	2	1	1	-	-	-
	6.0-6.5	6	3	1	4	2	1	7
	5.5-6.0	4	5	11	5	11	6	19
	5.0-5.5	11	14	25	12	19	14	41
	4.5-5.0	11	19	31	27	35	34	61
B	6.5-7.0	5	1	3	1	1	1	2
	6.0-6.5	19	18	6	13	6	7	17
	5.5-6.0	18	25	34	22	22	22	32
	5.0-5.5	44	74	50	70	54	49	109
	4.5-5.0	57	114	103	75	86	80	156
C	7.0-7.6	1	-	1	-	-	-	-
	6.5-7.0	1	-	1	-	-	-	-
	6.0-6.5	6	3	4	14	4	5	7
	5.5-6.0	27	21	23	18	14	11	19
	5.0-5.5	25	34	43	37	43	32	45
	4.5-5.0	35	78	58	50	67	41	79
D	6.5-7.0	1	-	-	-	-	-	-
	6.0-6.5	-	1	-	1	2	-	-
	5.5-6.0	3	1	2	1	1	5	2
	5.0-5.5	2	1	1	4	2	8	13
	4.5-5.0	9	11	2	3	3	7	12
E	6.5-7.0	-	-	-	-	1	-	1
	6.0-6.5	2	-	-	3	-	2	1
	5.5-6.0	2	2	5	1	2	1	4
	5.0-5.5	3	9	6	10	1	1	7
	4.5-5.0	3	5	8	9	2	3	5



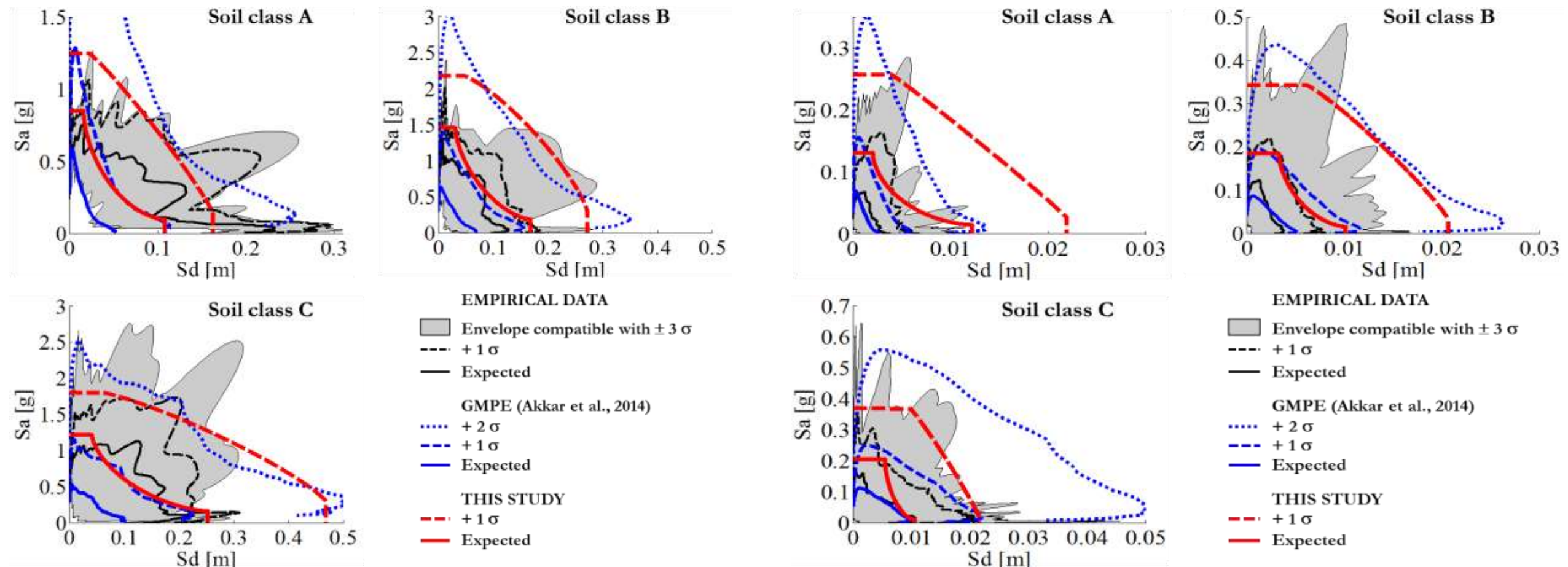
Effect known but not appropriately recognized in codes



Average of peaks is different from peak of average



Resulting spectra

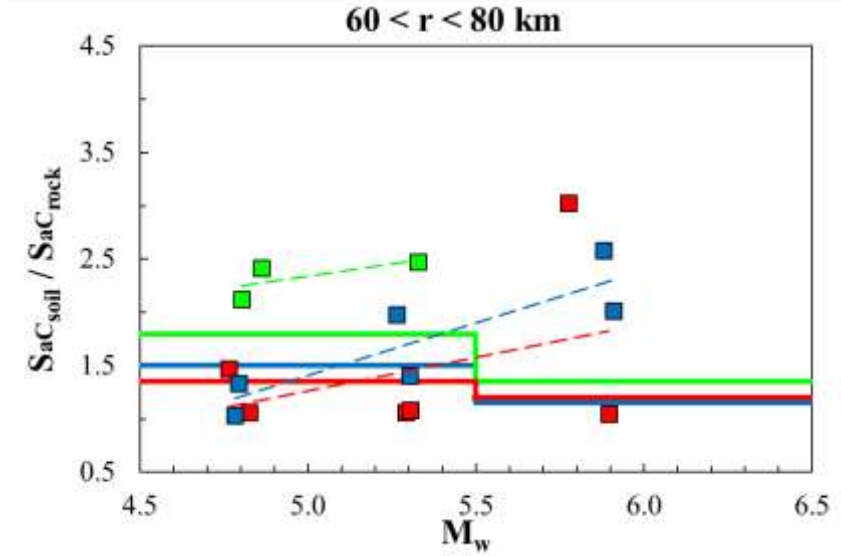
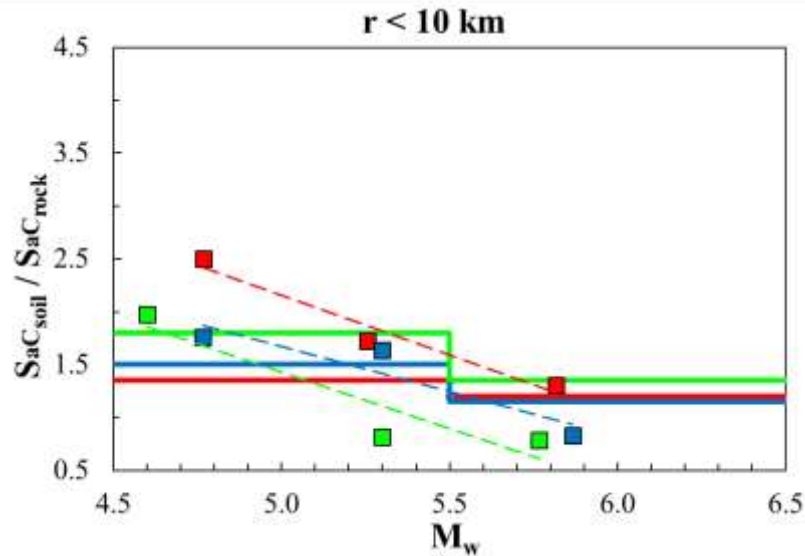
Distance: $r < 10$ kmMagnitude: $6.0 < M < 6.5$ Distance: $20 < r < 30$ kmMagnitude: $5.0 < M < 5.5$ 

Soil amplification

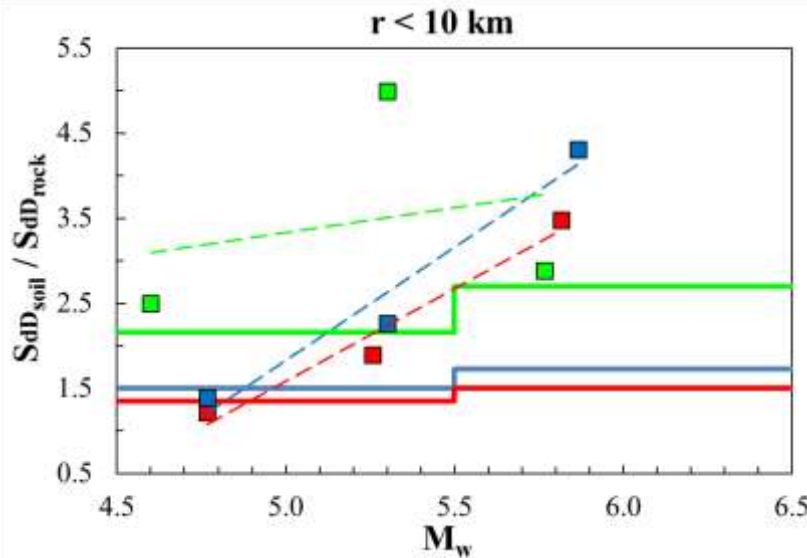
Depends on
Magnitude
Distance

is different on
acceleration and displacement

Maximum spectral acceleration (S_{ac})



Maximum spectral displacement (S_{dD})



Calvi and Andreotti (2019)

- Soil class B (stiff soils)
- Soil class C (soft soils)
- Soil class D (very soft soils)

Eurocode 8 (CEN, 2006)

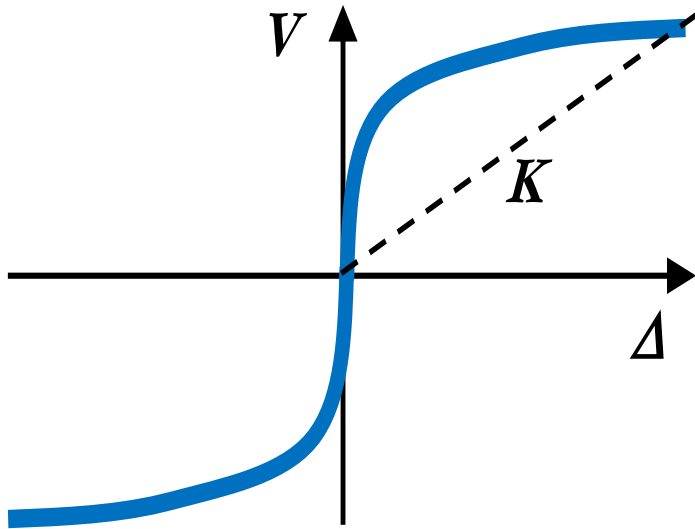
- Soil class B
- Soil class C
- Soil class D

Accounting for energy dissipation

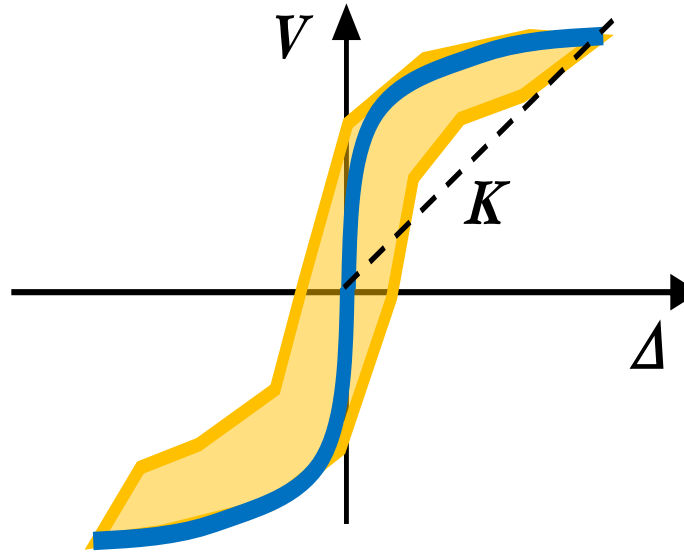
why a structural parameters
is accounted for
on the demand side?

An increased dissipation capacity reduces the expected displacement demand for the same sets of ground motions

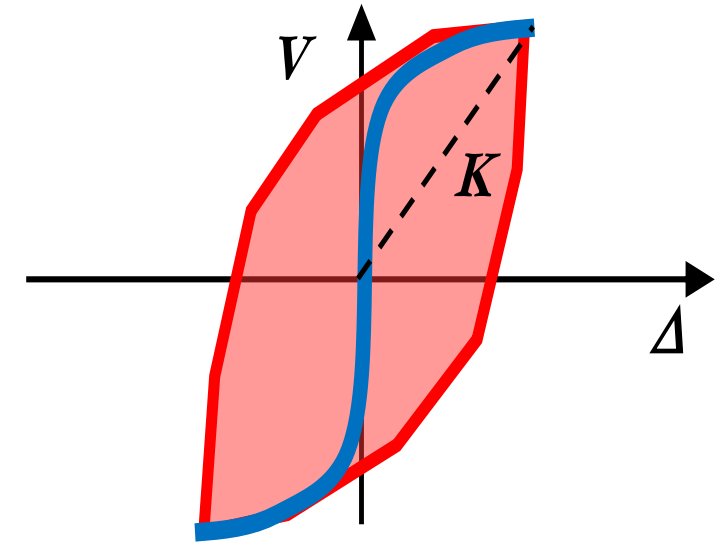
Non-linear elastic response
($\xi_e = 5\%$, $\eta_x = 1$)



Moderately dissipative structure
($\xi_e = 15\%$, $\eta_x = 0.75$)



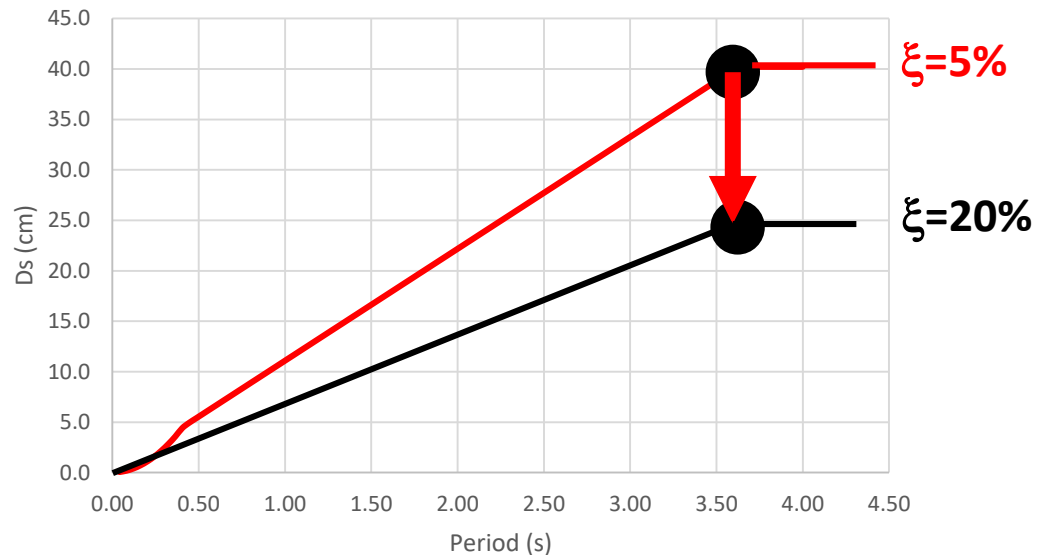
Highly dissipative structure
($\xi_e = 26\%$, $\eta_x = 0.5$)



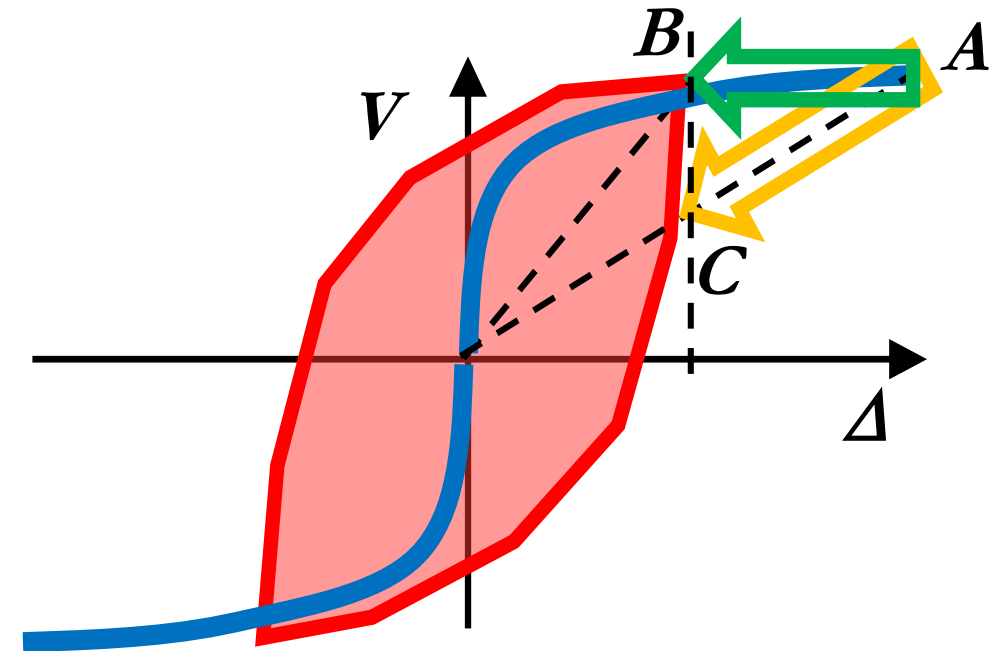
Current practice:

- ☐ Reduce displacement
- ☐ Conserve period
- ☐ Acceleration reduces proportionally to displacement:

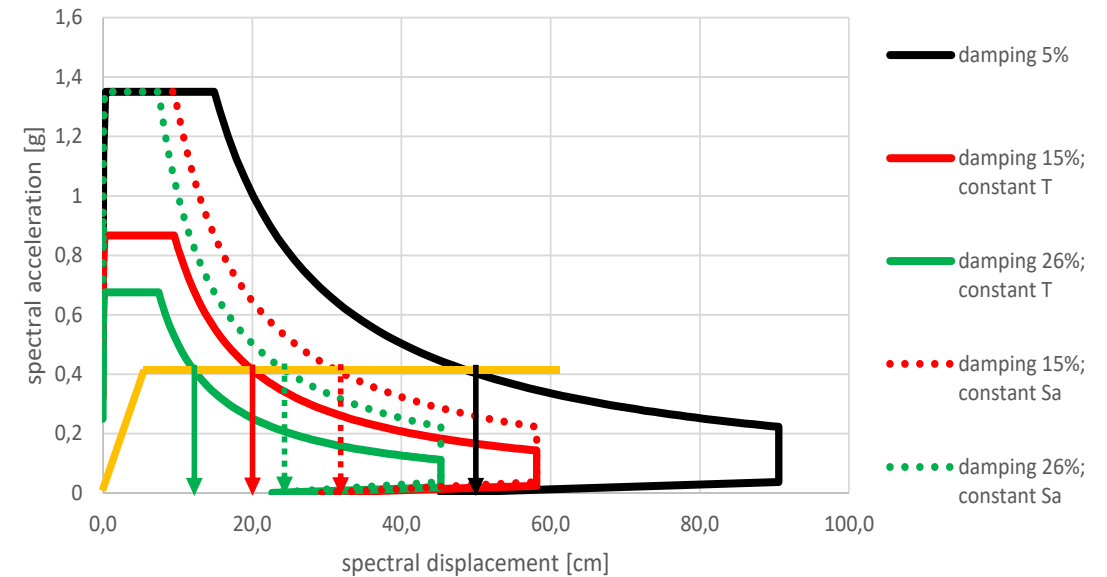
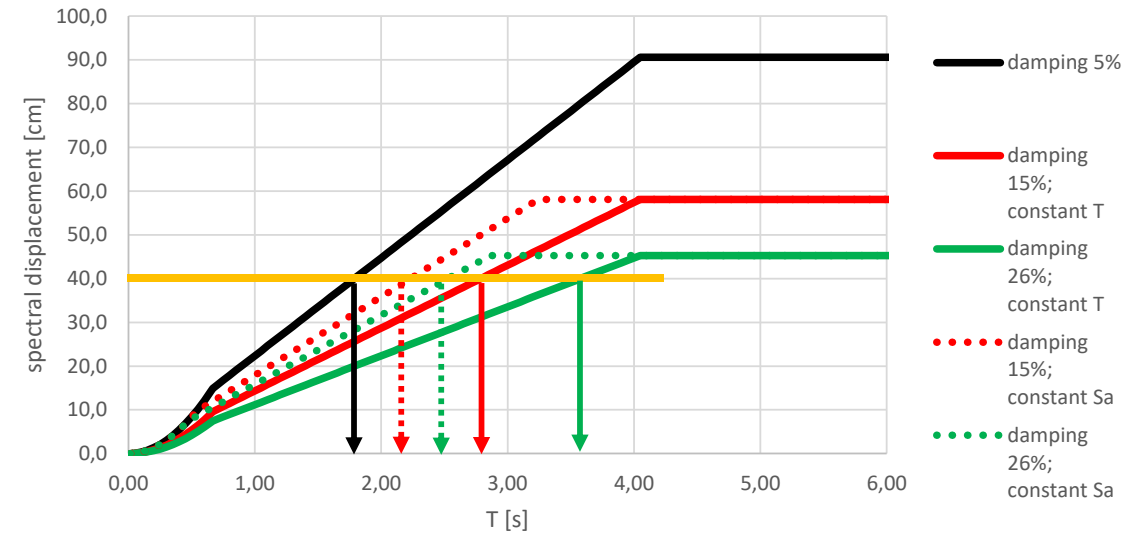
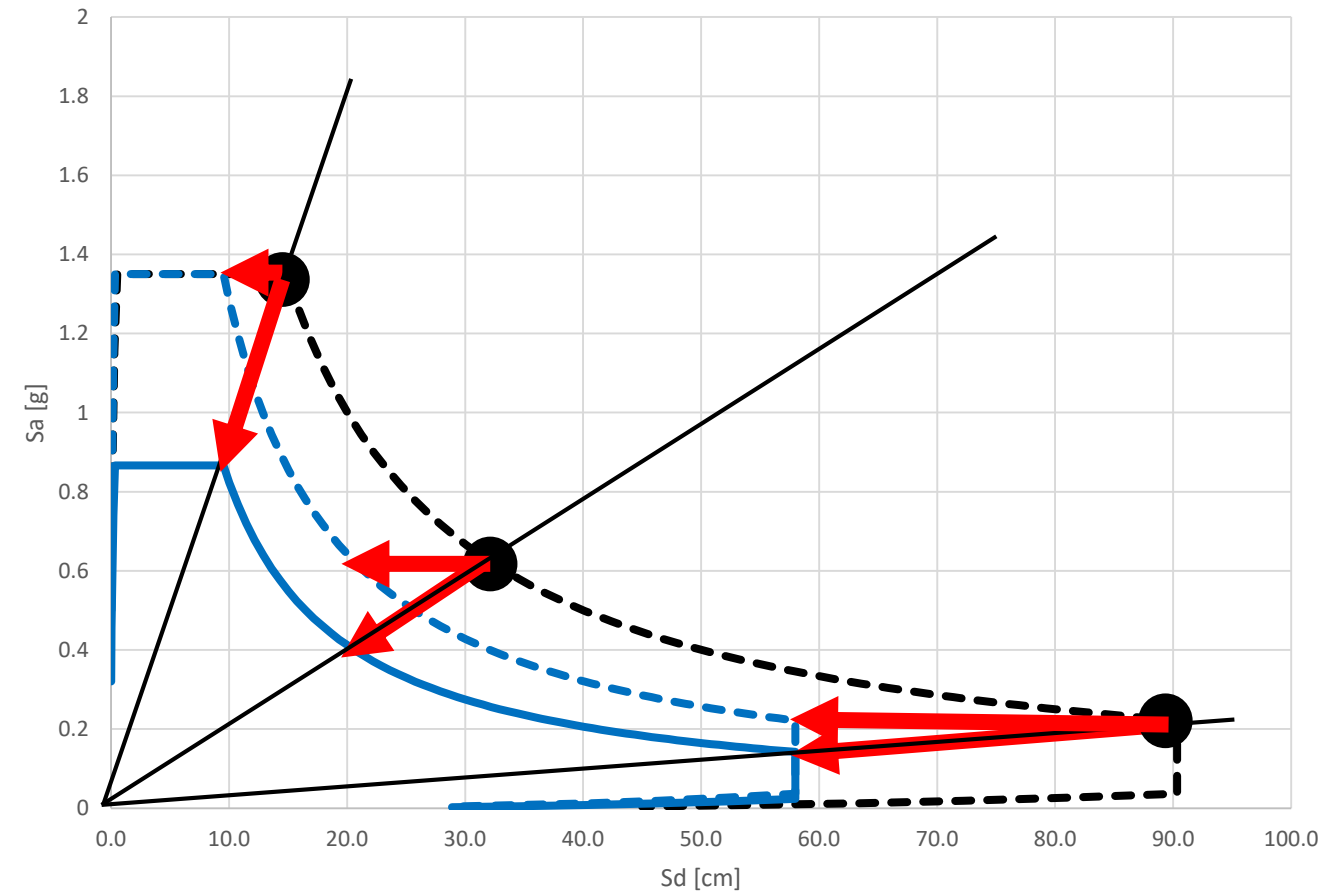
$$S_a = \frac{4\pi^2}{T^2} S_d$$



Is it correct to reduce displacement conserving **period** or **acceleration**?



Relevant effects on spectrum shape, design period and displacement capacity



Defining “acceptable” performances

Design for life safety
and check for damage limitation?

Or

Use the expected annual loss
as a design tool?

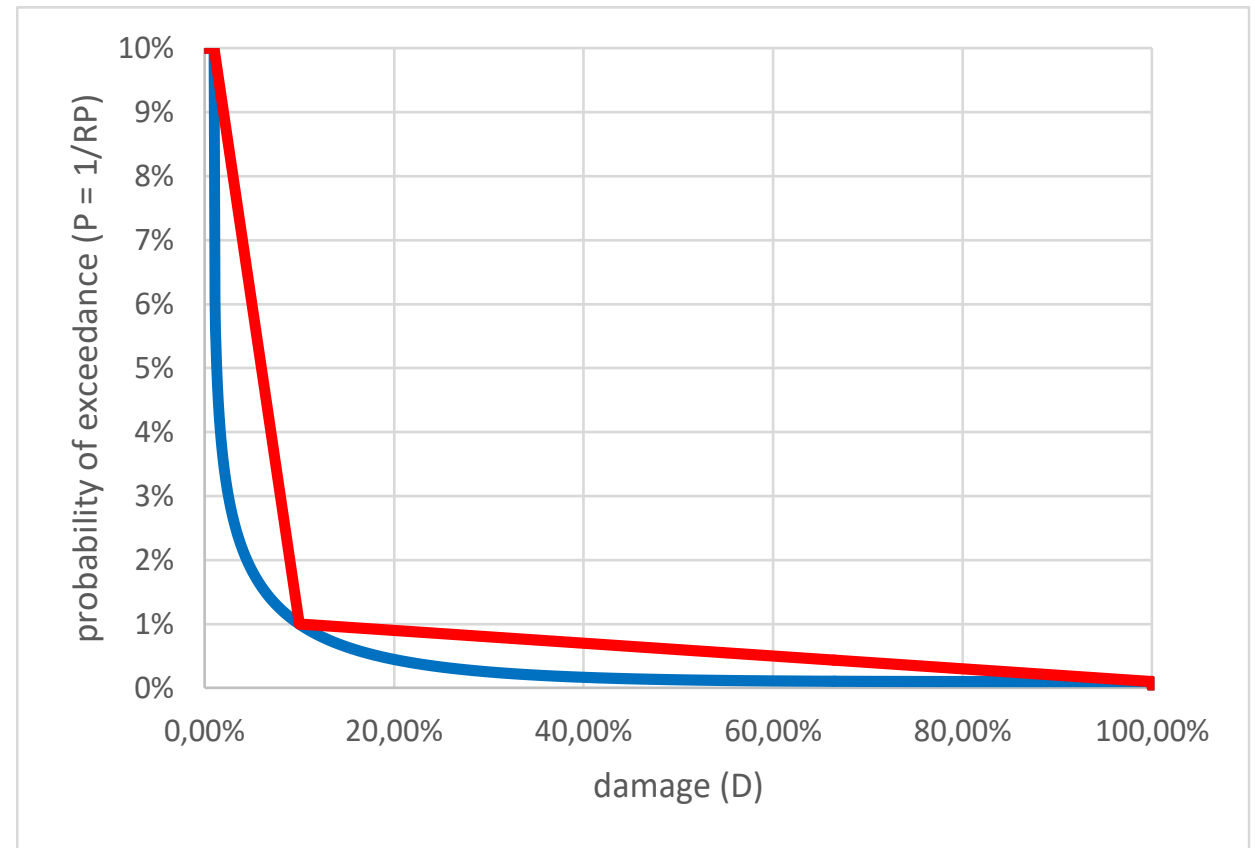
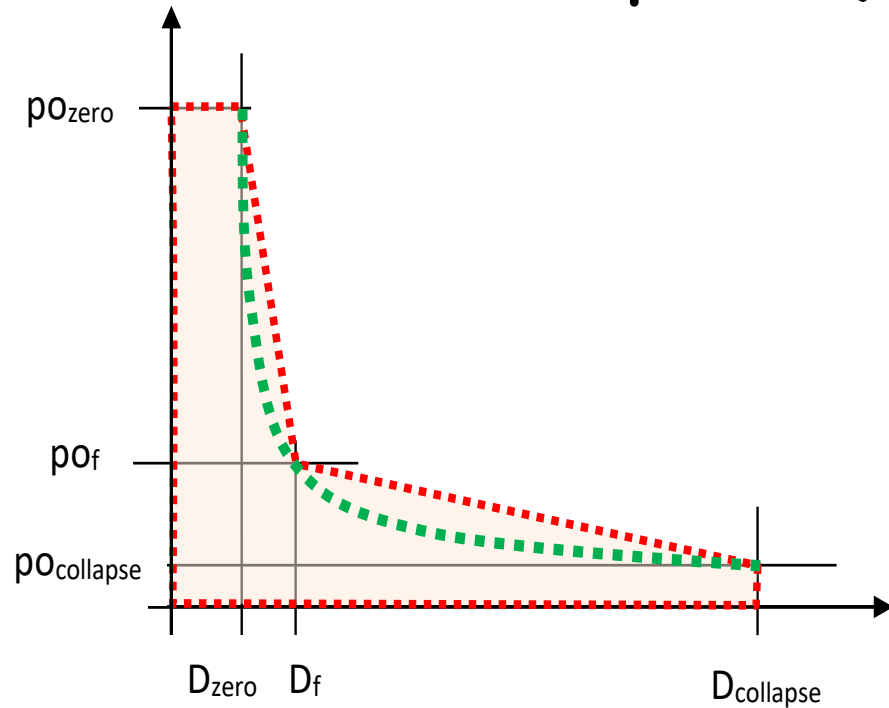
$$\text{EAL (expected annual loss)} = \int (p_o \times D) dD$$

as a tool to design

p_o = yearly probability of occurrence

D = level of damage

RP = return period ($1/p_o$)



EAL as a tool to design

Derive an equation for the blue curve

Polynomial

$$P = k_1 + k_2 D^{k_3}$$

With:

$$P_{collapse} = k_1 + k_2$$

Or (simpler and better):

$$P = P_{collapse} + (P_{zerodamage} - P_{collapse}) \cdot \sin^{\alpha} \left(\cos^{-1} \left(\frac{D - D_{zero}}{D_{collapse} - D_{zero}} \right)^{\frac{1}{\alpha}} \right)$$

forced to pass through the two extreme points and governed by the single parameter α to pass through the f point.

E.G.:

$$D_{collapse} = 100\%$$

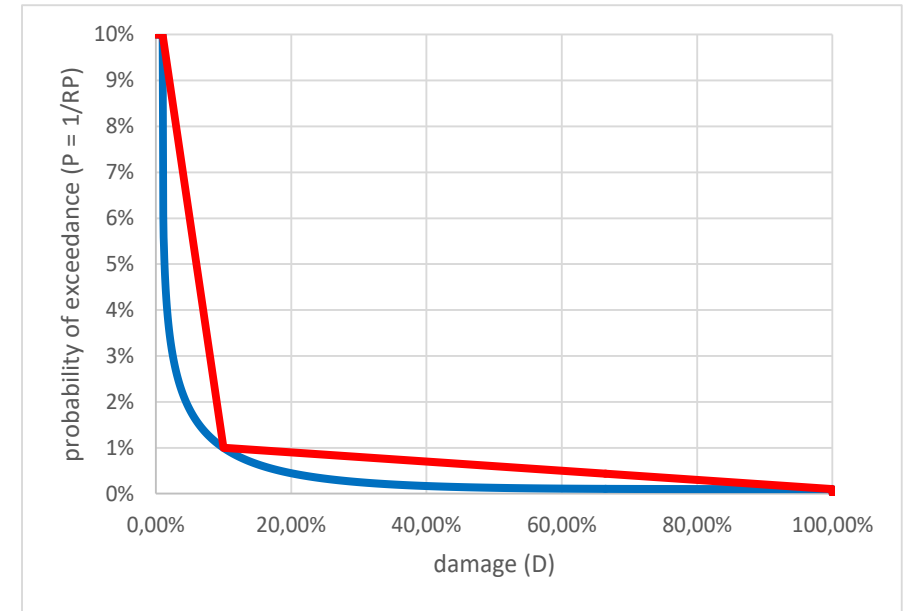
$$D_{zero} = 1\%$$

$$D_f = 10\%$$

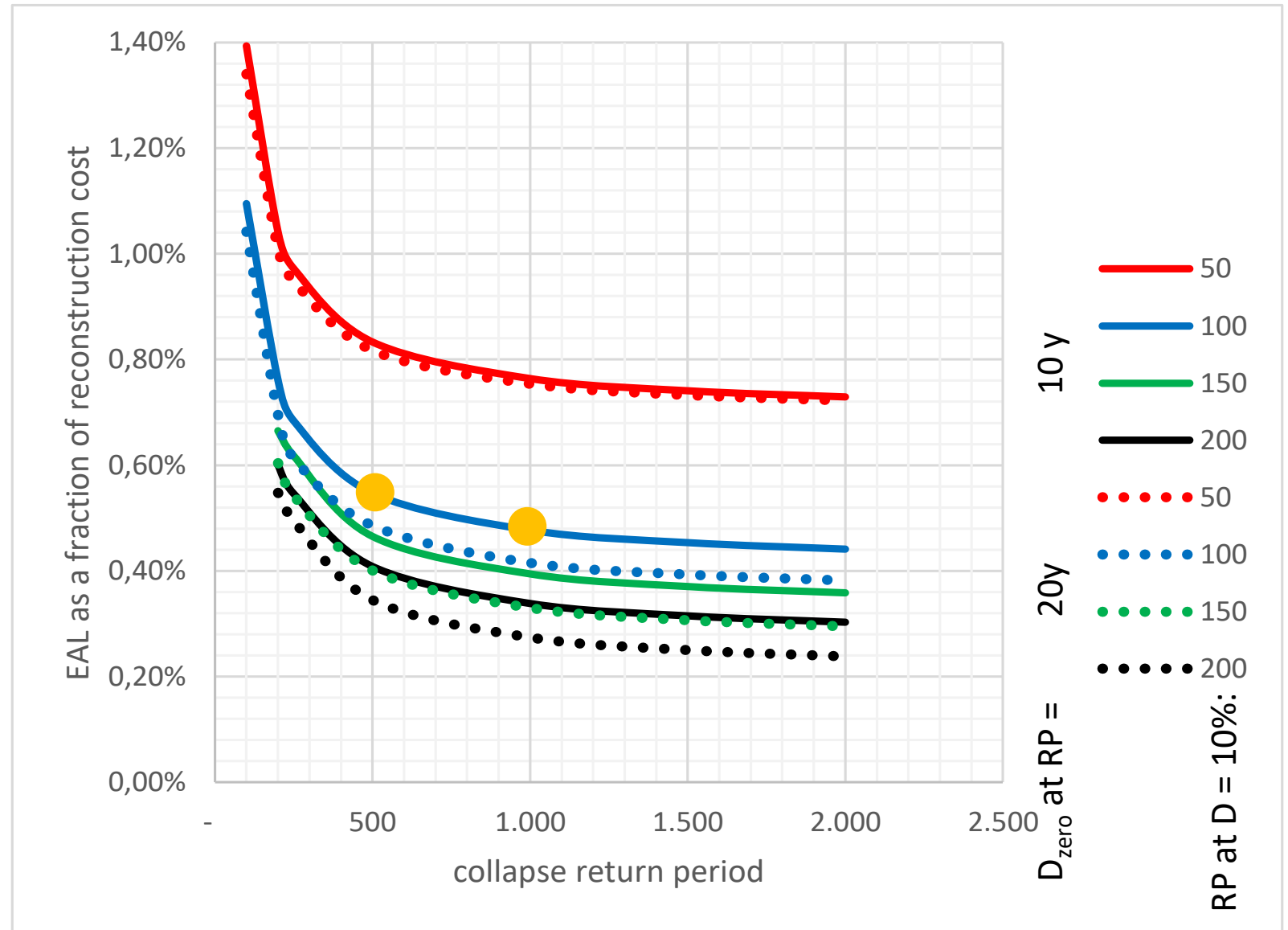
$$P_{collapse} = 1/1000$$

$$P_{zerodamage} = 1/10$$

$$P_{zerodamage} = 1/100$$



EAL as a tool to design

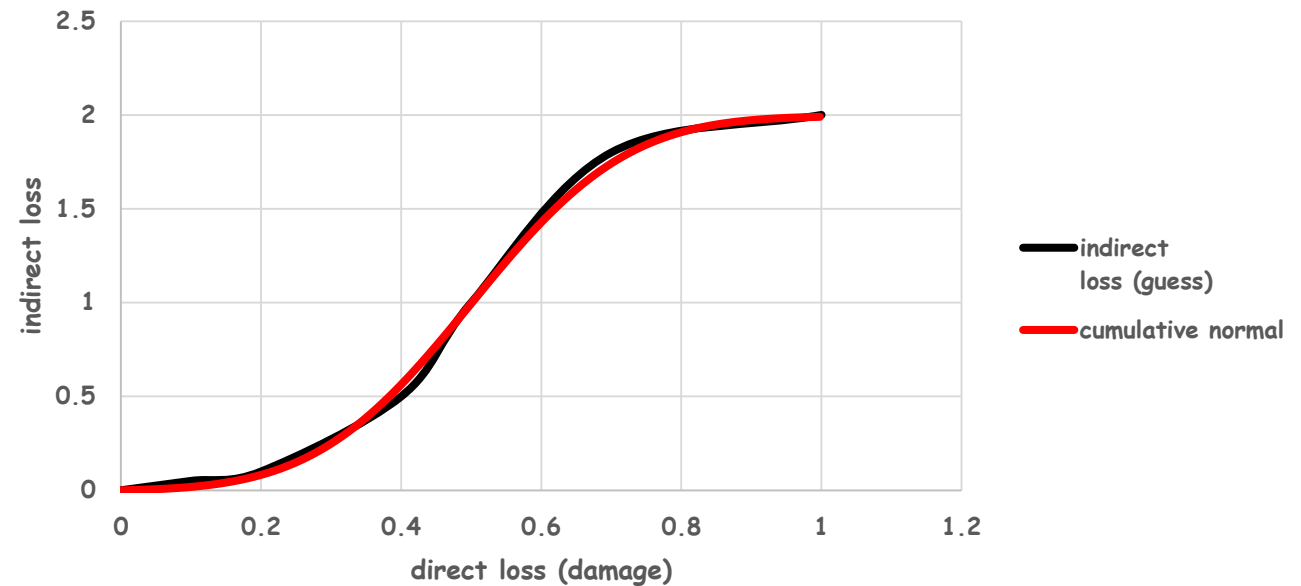


EAL as a tool to design

Indirect cost for bridges

		Bridge over major river	Highway interchange
Detour	Ld (km)	30	15
N vehicles	Nv	10,000	10,000
Cost ave per km	Ckm (€)	0.50	0.50
EALi day (Ld×Nv×Ckm)	EALid (€)	150,000	75,000
Length	L (m)	1,000	150
Cost reconstr	Cr (€)	50,000,000	10,000,000
EALid % Rc	EALid/Cr	0.30%	0.75%
Closure days to Rc	Dcr (days)	333	133
Time reconstr (d)	Tr (days)	670	670
Indirect cost reconstr	Tr/Dcr	2,01	5,03

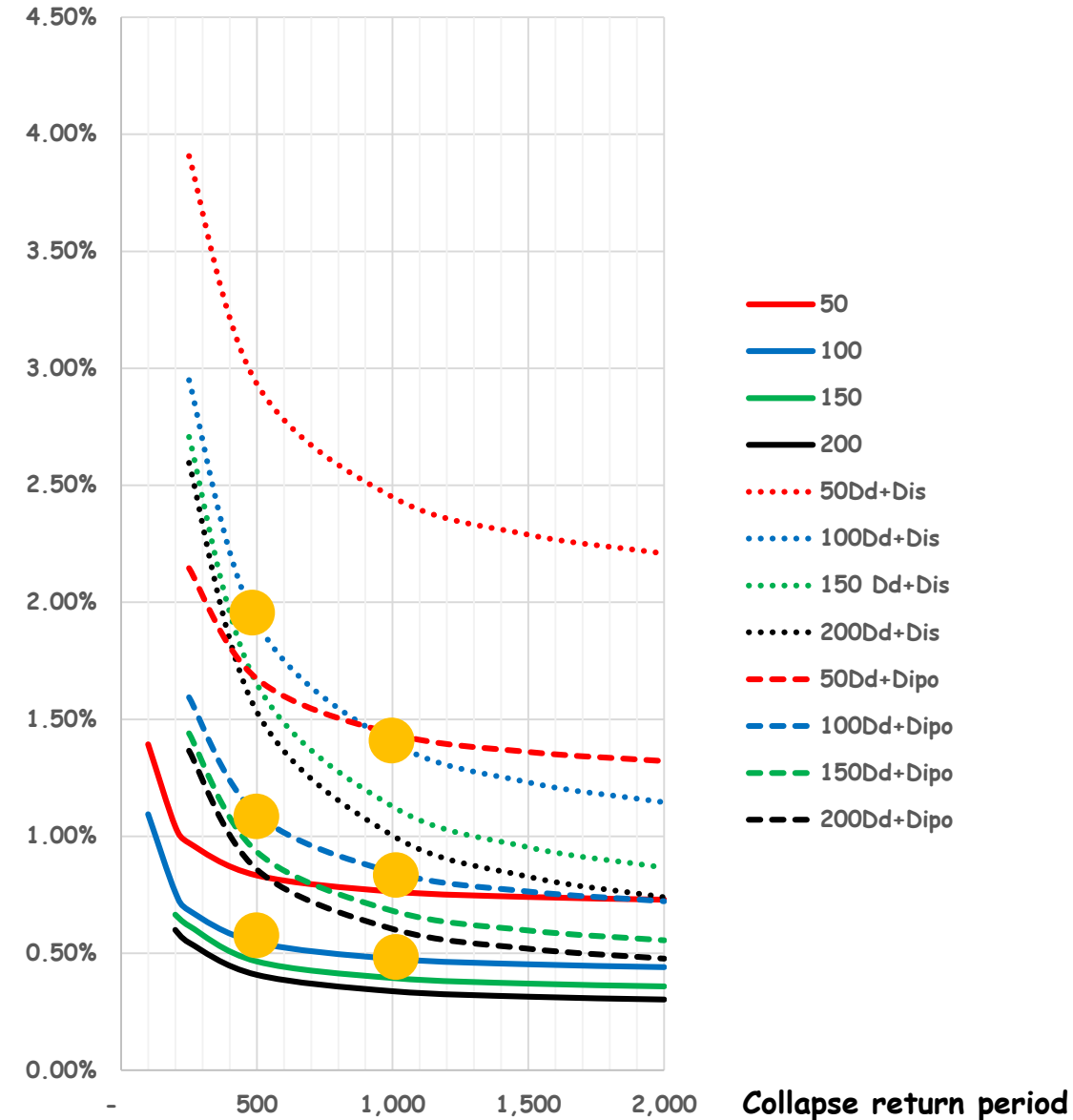
Relation between direct loss (damage) and indirect loss (cost of traffic interruption)



EAL as a tool to design

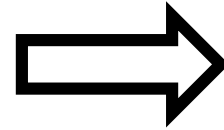
Total EAL as a function of:

- Assumed ground motion
- Collapse return period
- Damage limitation



Bridge response

- Event sequence
- Complete push-over to collapse
- Cost of event prevention
- Longitudinal vs. transversal



- 1) Barrier damage
- 2) Joint damage
- 3) Bearing damage
- 4) Bearing failure + unseating
- 5) Pier shear damage/collapse
- 6) Pier flexural d/c
 - a) Concrete spalling
 - b) Bar yielding
 - c) Bar buckling
 - d) Permanent tilting
- 7) Foundation rotation
- 8) Foundation displacement
- 9) Liquefaction
- 10) Isolation system damage
- 11) Isolation system collapse
- 12) ...

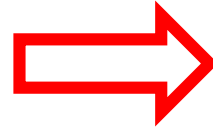
Cost of prevention

Cost of repair

Duration of repair

Bridge response

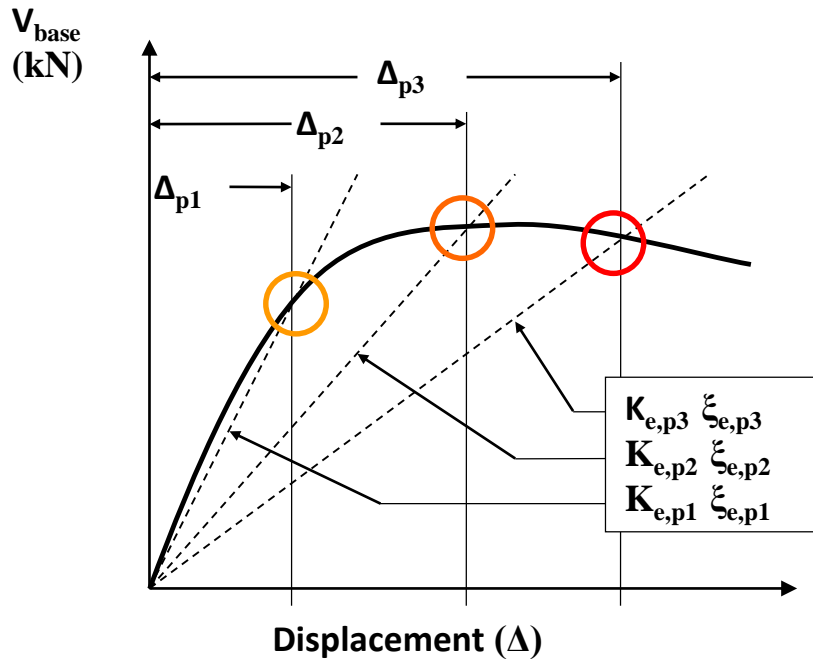
Complete push-over
to collapse
(not point verification
 $\text{capacity} > \text{demand}$)



Does not matter how low the
probability

Even when capacity design is
applied

What happens next?



e.g.:

Joint damage?

Bar yielding?

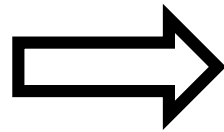
Bar buckling?

Permanent tilting?

Foundation rotation?

Bridge response

Cost of event
prevention and
repair, time
for repairing



E.G. 1:

What is the cost of increasing the displacement capacity of a joint?

What is the cost of a new joint?

How much time is required to obtain a new joint (reduced speed)?

How much time is required to substitute the joint (bridge closed)

E.G. 2:

What is the cost of increasing the displacement capacity of an isolation device?

What is the cost of a new I.D.?

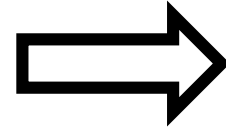
How much time is required to obtain and install new I.D.s (bridge possibly closed)?

NOTE:

- A three-span 150 m bridge may rest on 8 I.D.
- Cost range 50-100 k€
- Indirect loss for 90 days closure for replacement 6-7 M€
- Probability of occurrence?

Bridge response

Longitudinal vs.
transversal



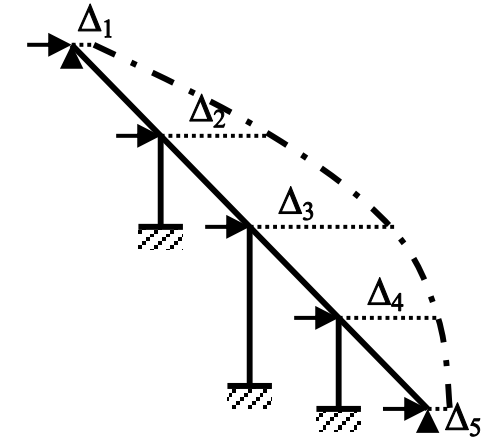
Longitudinal response is «always»
governing design

Transversal:

- Displacement governed by deformed shape
- No temperature problems
- All piers (and abutments) reacting

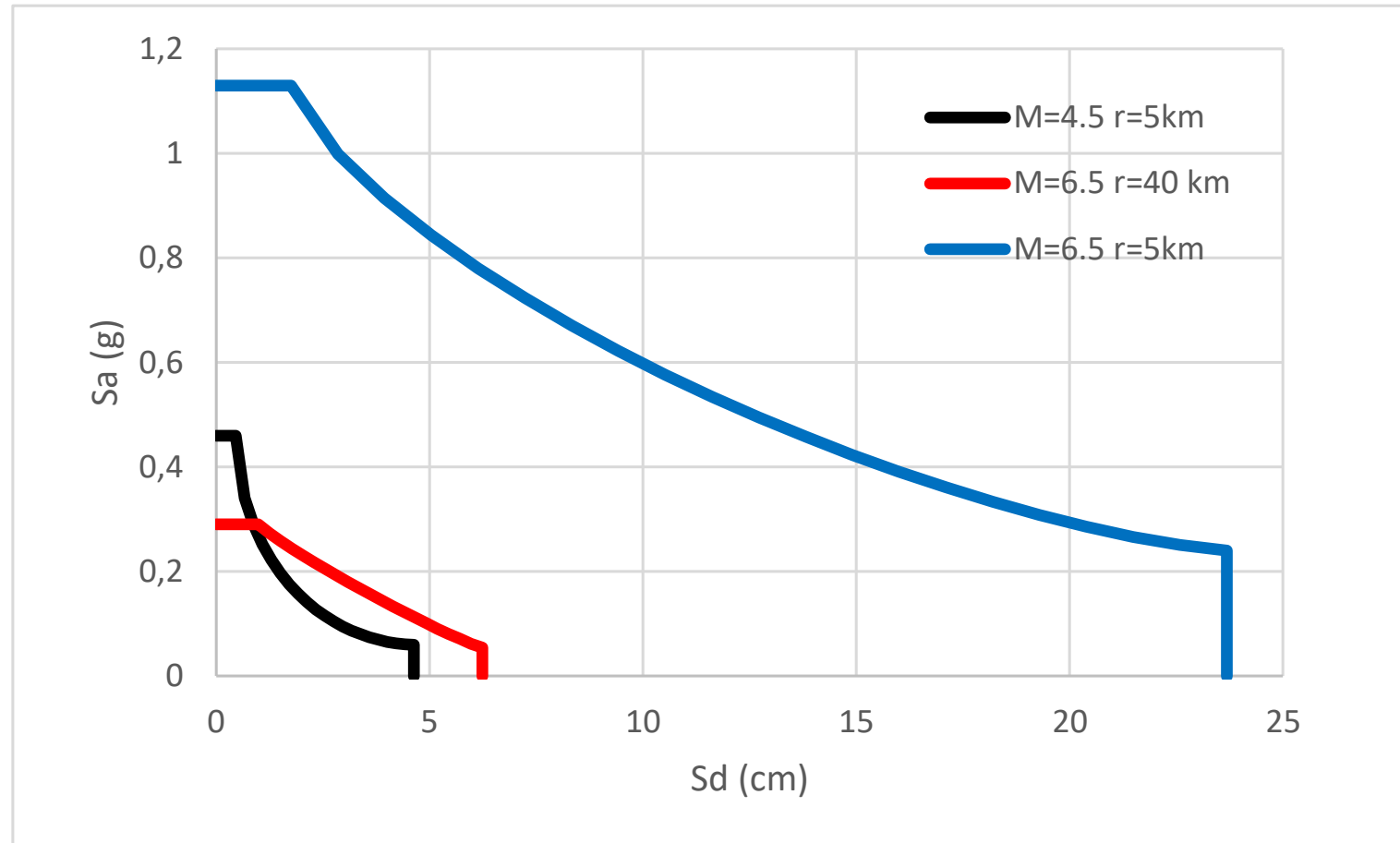
Longitudinal:

- Same displacement demand at all piers
- Need to accommodate temperature induced displacements
- Few piers reacting unless shock transmitters are used



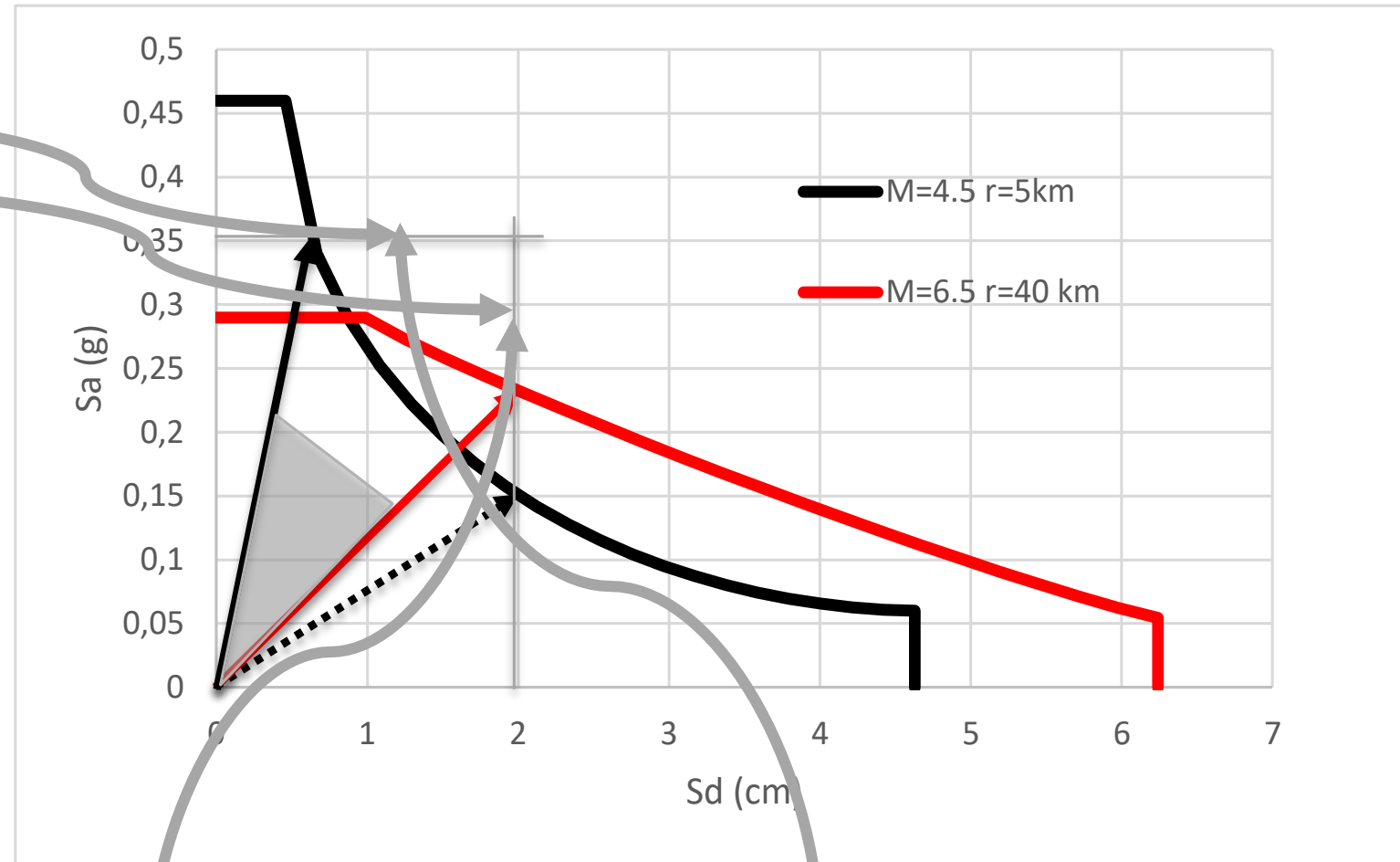
Effects of magnitude and distance

Possible different return period



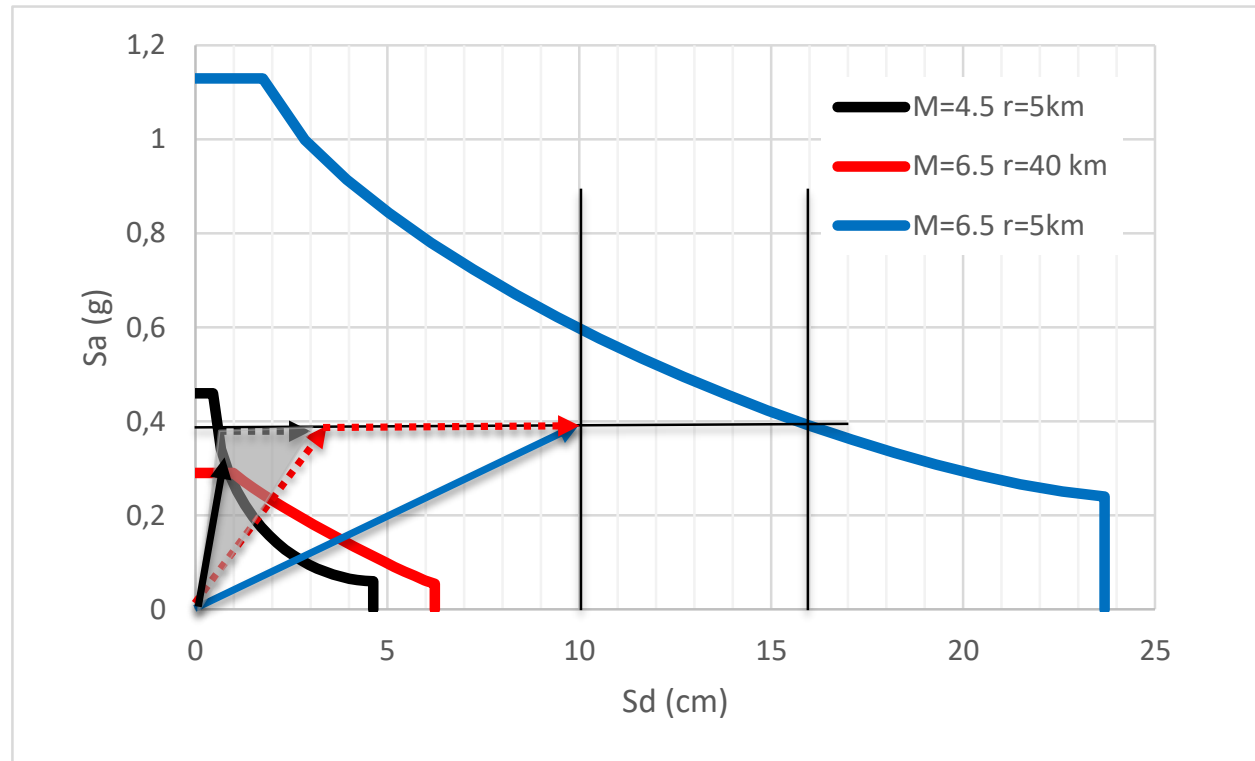
Design for frequent ground motion

Deck
acceleration and
displacement
limits imposed by
accepted level of
damage



Design for elastic response,
 $\Delta_d < 20$ mm; $S_{ad} = 0.35 g$

Design for rare ground motion



Design for $\Delta_d = 100$ mm.
 Elastic response impossible and not compatible with
 design for frequent event.
 Consider correction factor $\eta = 0.6$.

Re-visiting Earthquake Resistant Design of Bridges

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